

Pumping stations and water transport

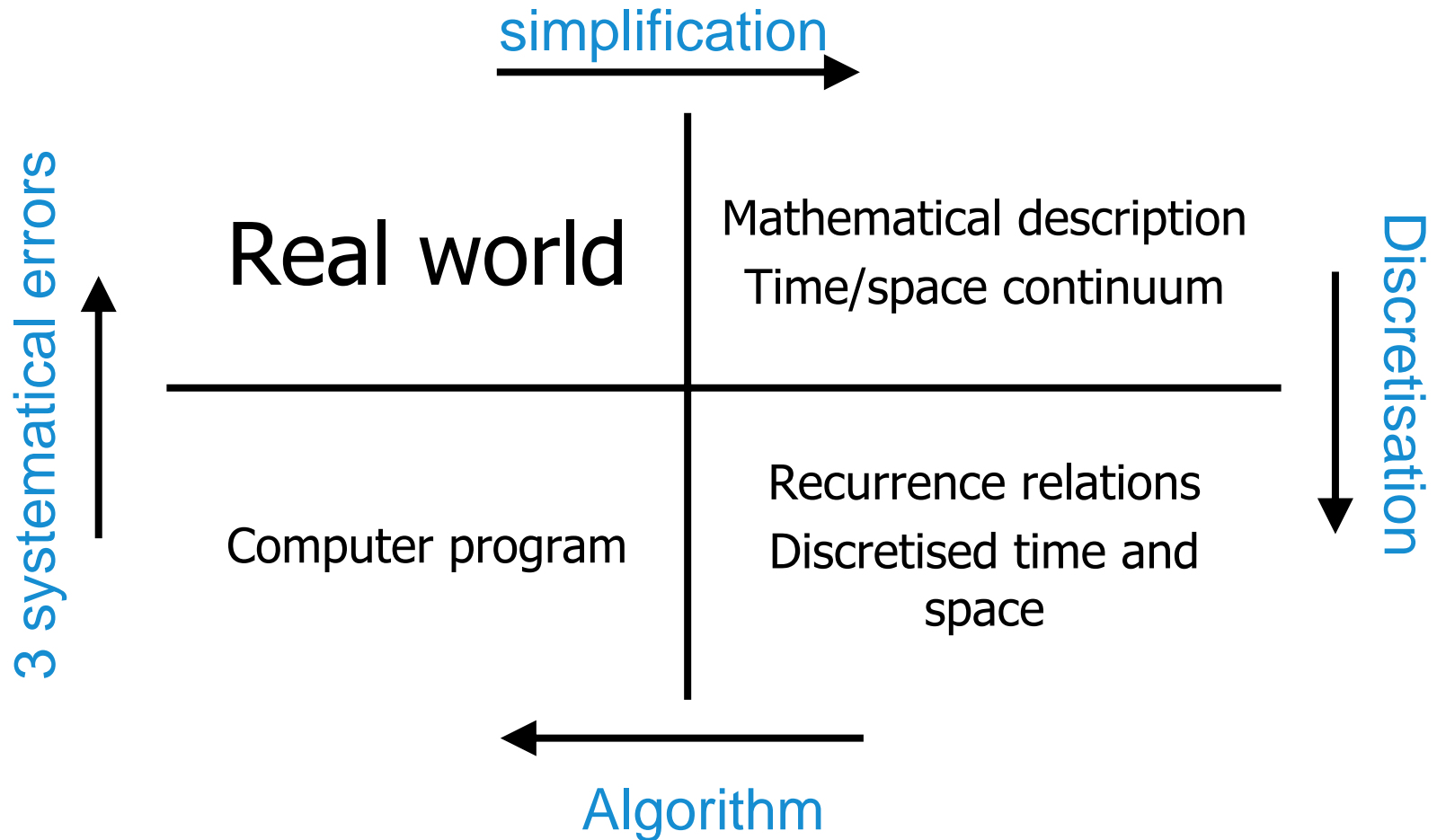
Network calculations
ct5550

February 15, 2008

Introduction

- Pipe networks are complicated systems
- Analysing networks needs computer simulation
- Two types of modelling:
 - Sewerage or urban drainage models: open channel flow and transition periods
 - Drinking water: pressurised pipe

From reality to calculation



Drinking water modelling: filled pipe, basic equations

- Darcy Weisbach

$$\Delta H = H_2 - H_1 = \lambda \frac{L}{D} \frac{v^2}{2g} = 0,0826 \frac{\lambda L}{D^5} Q^2$$

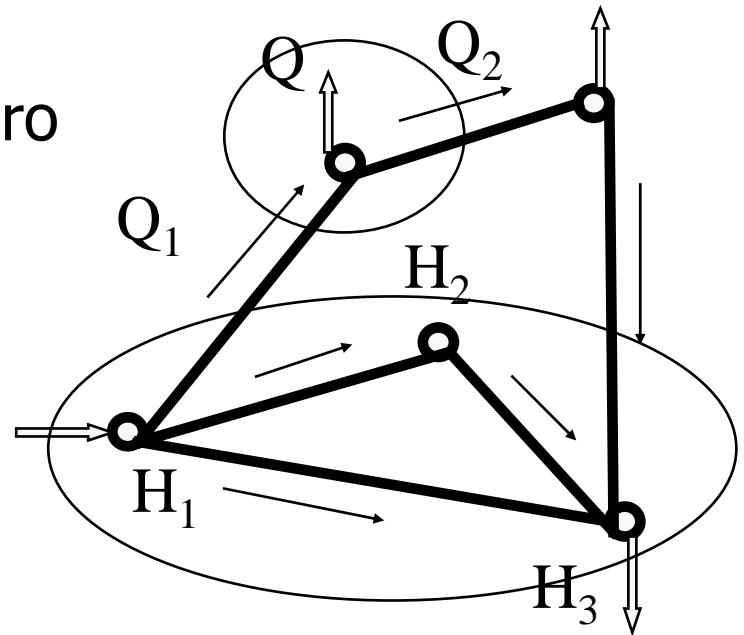
- White - Colebrook

$$\frac{1}{\sqrt{\lambda}} = -2 \log \left[\frac{k_N}{3D} + \frac{1}{0,32 \text{Re} \sqrt{\lambda}} \right]$$

- One equation with one unknown

Kirchhoff's laws

- Mass balance in a node is zero
 $Q_1 - Q_2 - Q = 0$
- Pressure losses in a loop is zero
 $(H_2 - H_1) + (H_3 - H_2) + (H_1 - H_3) = 0$



Set of equations

- Consider a network with N nodes and X pipes
- $Q_x^2 = f(\Delta H_n) = f(H_n - H_{(n-1)})$
- X equations with N unknown
- N node-equations ($\sum Q_x = 0$)
with n (H_n) unknown
- Reduced to a set of N equations with N unknown
- Complication: non-linear relation between
 Q and H

Solving methods

- Hardy-Cross: pressure equalisation method
 - Assume pressures in all nodes
 - Take one node and adjust pressure until mass balance equals zero (Kirchhoff's first law)
 - Take next node and adjust pressure until....
 - Repeat until $\Delta p < \text{threshold}$
- Can be done manually
- First computerised calculations

Solving methods

- Hardy-Cross: volume flow equalisation method
 - Assume pressures in all nodes
 - Take one loop and adjust volume flows with ΔQ until sum of pressure losses equals zero (Kirchhoff's second law)
 - Take next loop and.....
 - Calculate pressures and repeat flow adjustments until $\Delta Q < \text{threshold}$
- Computerised calculations

Solving methods: Linear programming

- Linearisation:
 $Q_x^2 = f(\Delta H_n) \Rightarrow Q_x^* * Q_x = R(H_2 - H_1)$
- With an estimation of Q the equations become linear and can be solved with matrices ($n*n$ symmetric matrix)
- Iteratively the solution is found
 - Estimated Q_x^* is corrected with calculated Q_x , and so on
- Only possible with computers: memory is no longer a limitation

Accuracy of the calculation

- Lots of data necessary to calculate the pressures and volume flows
- 10% error in diameter gives 40% error in pressure drop

$$\Delta H = 0,0826 \frac{\lambda L}{D^5} Q^2$$

$$\text{error } \Delta H : \frac{1}{1,1^5} = 0,62 \Delta H$$

Accuracy of the calculation

- 10% error in volume flow gives 20% error in pressure drop

$$\Delta H = 0,0826 \frac{\lambda L}{D^5} Q^2$$

$$\text{error } \Delta H : 1,1^2 = 1,21\Delta H$$

Accuracy of the calculation

- 10% error in length gives 10% error in pressure drop

$$\Delta H = 0,0826 \frac{\lambda L}{D^5} Q^2$$

error $\Delta H : 1,1\Delta H$

Some roughnesses

Material	K-value	Source
CI \leq 200	5	E/L
CI $>$ 200	2	E/L
CI lined on site	0.5	R
CI Factory lined	0.2	M
AC	0..2	M
Concrete	0.5	E/L
PE	0.05	M
PVC	0.05	M
Steel bitumous lined	1.5	L
Steel cement lined	0.2	M

Different resistance formulas

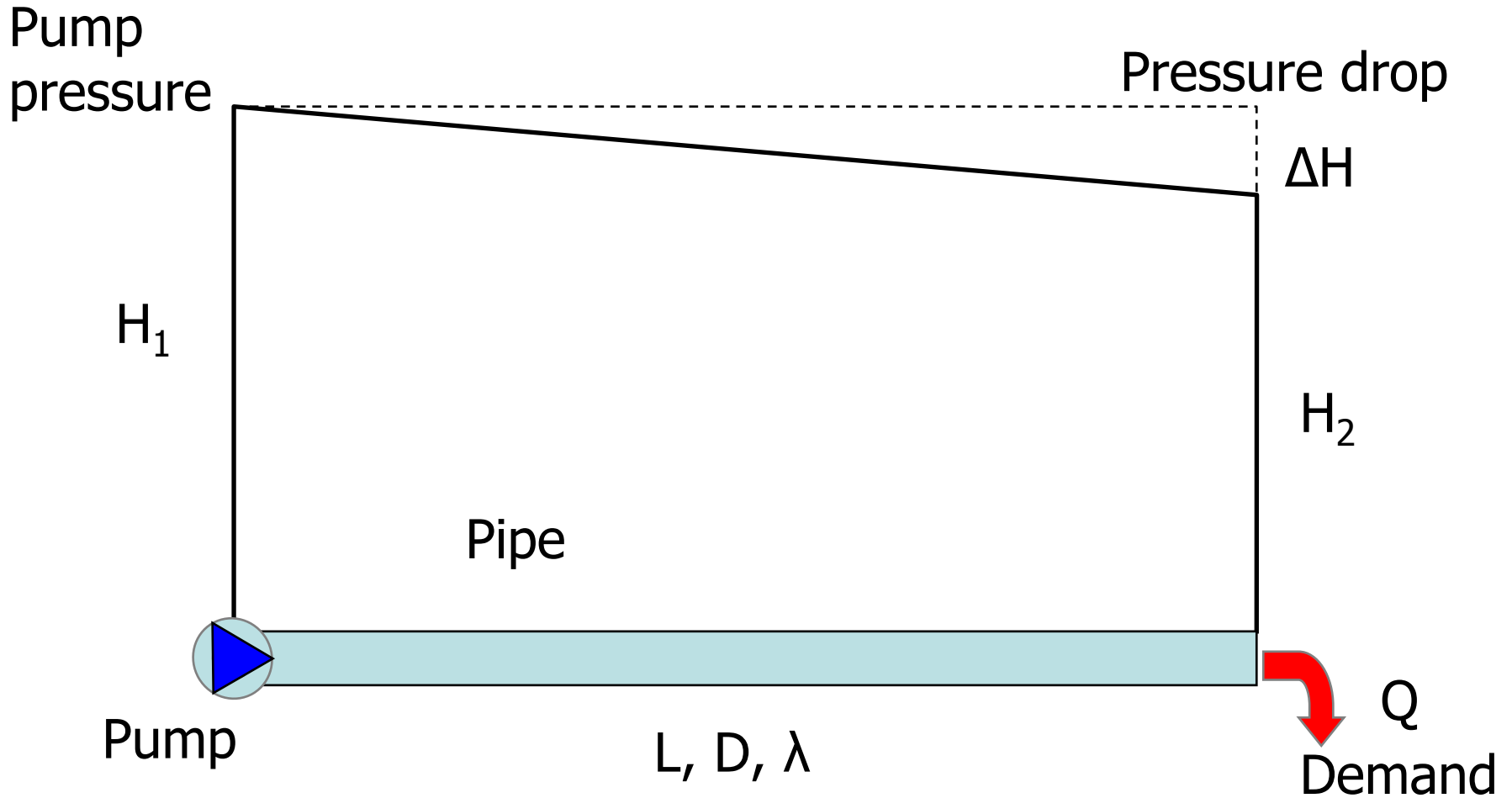
$$\Delta H = a \cdot Q^{b-1} |Q|$$

Name	Res coef (a)	Exp (b)
Darcy Weisbach	$\frac{8\lambda L}{\pi^2 g D^5}$	2
Hazen-Williams	$\frac{2,79 * 10^{-6} L}{C^{1,85} D^{4,87}}$	1,85
Chezy-Manning	$\frac{7,97 * 10^{-7} n^2 L}{D^{5,33}}$	2

Boundaries

- Nodes
 - Demand (positive is demand)
 - Supply (negative is supply)
 - Fixed pressure head
- Pipes
 - Resistance
 - Special resistance : pump
 - Different types of valves (check valve, PRV, PSV, PBV, FCV, TCV)

Accuracy in measuring



Water quality calculations

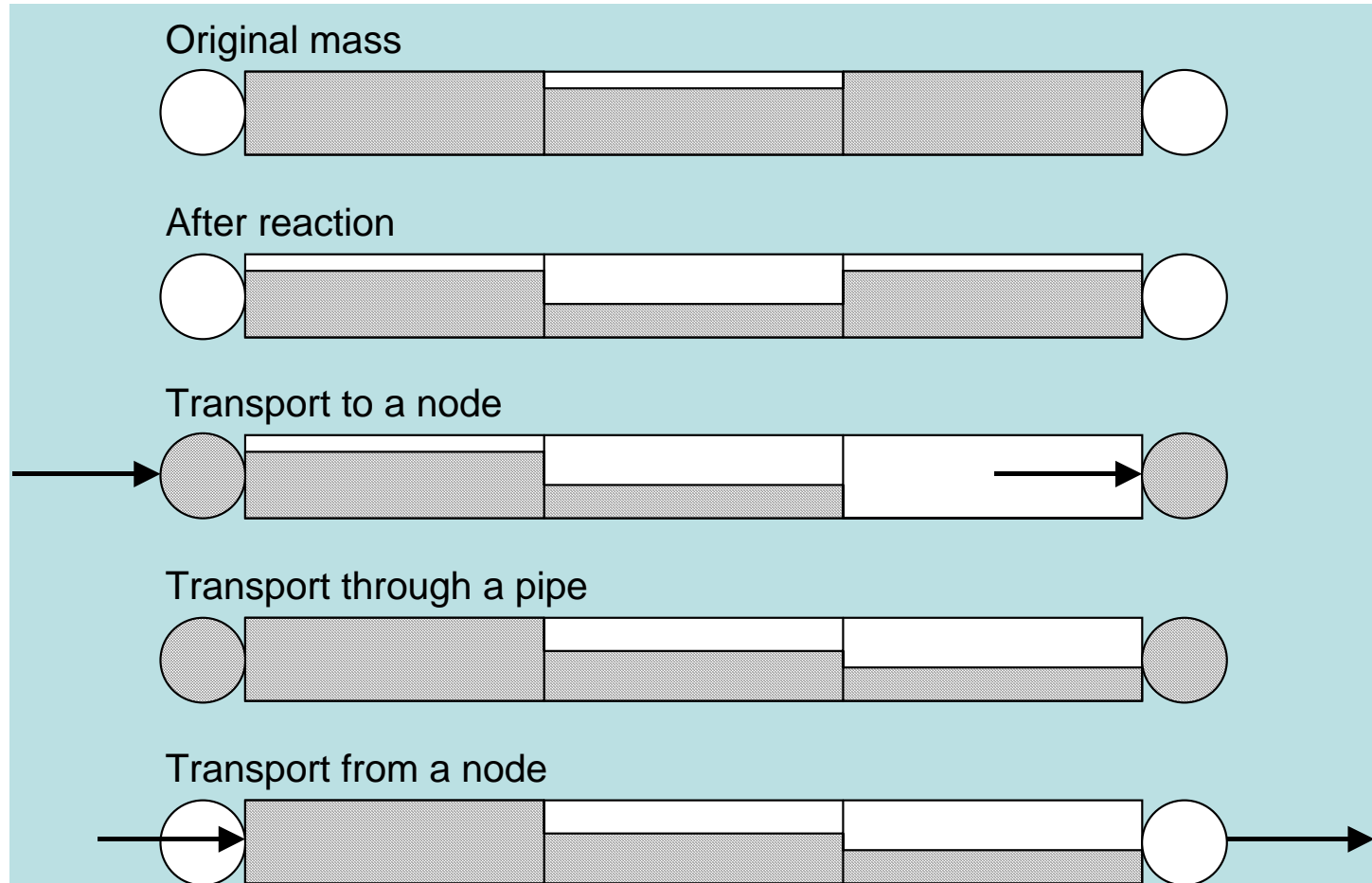
- Mass balance

$$\frac{\partial c_{ij}}{\partial t} = \frac{Q_{ij}}{A_{ij}} \frac{\partial c_{ij}}{\partial x_{ij}} + \Theta(c_{ij})$$

- Solved for known boundary conditions

$$c_{ij}(0, t) = \frac{\sum_k Q_{ki} c_{ki}(L_{ki}, t) + M_i}{\sum_k Q_{ki} + Q_{si}}$$

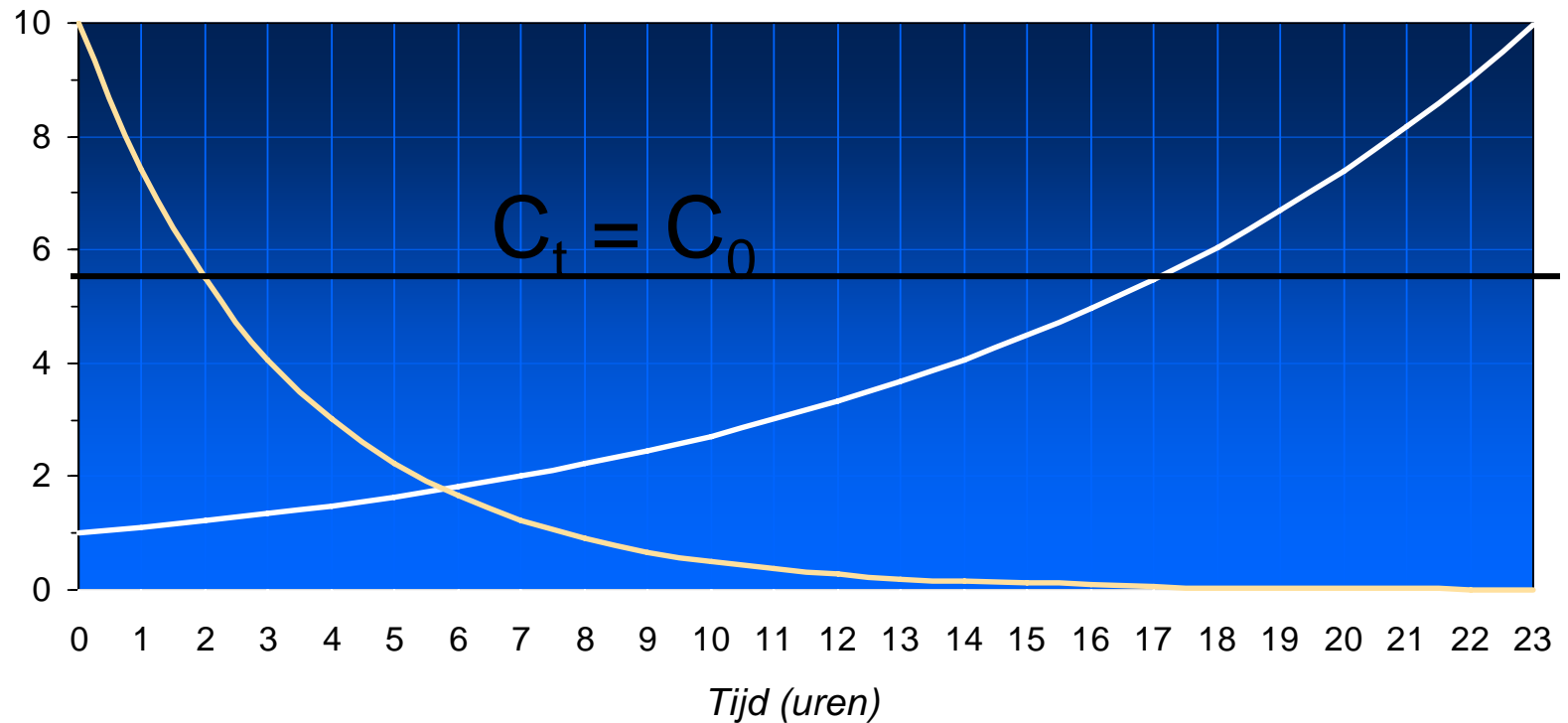
Water quality algorithm



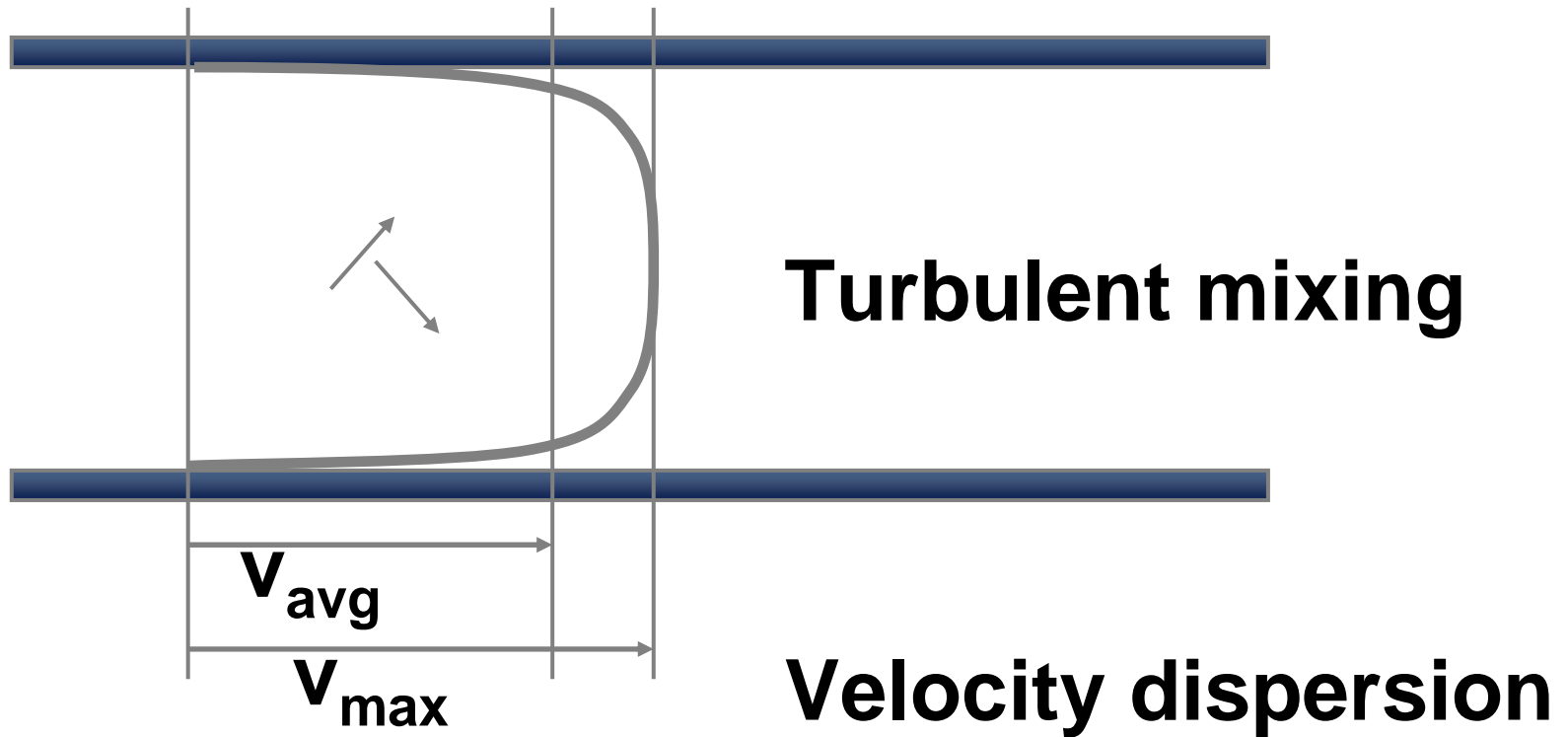
Reaction model examples

$$C_t = C_0 e^{-Kt}$$

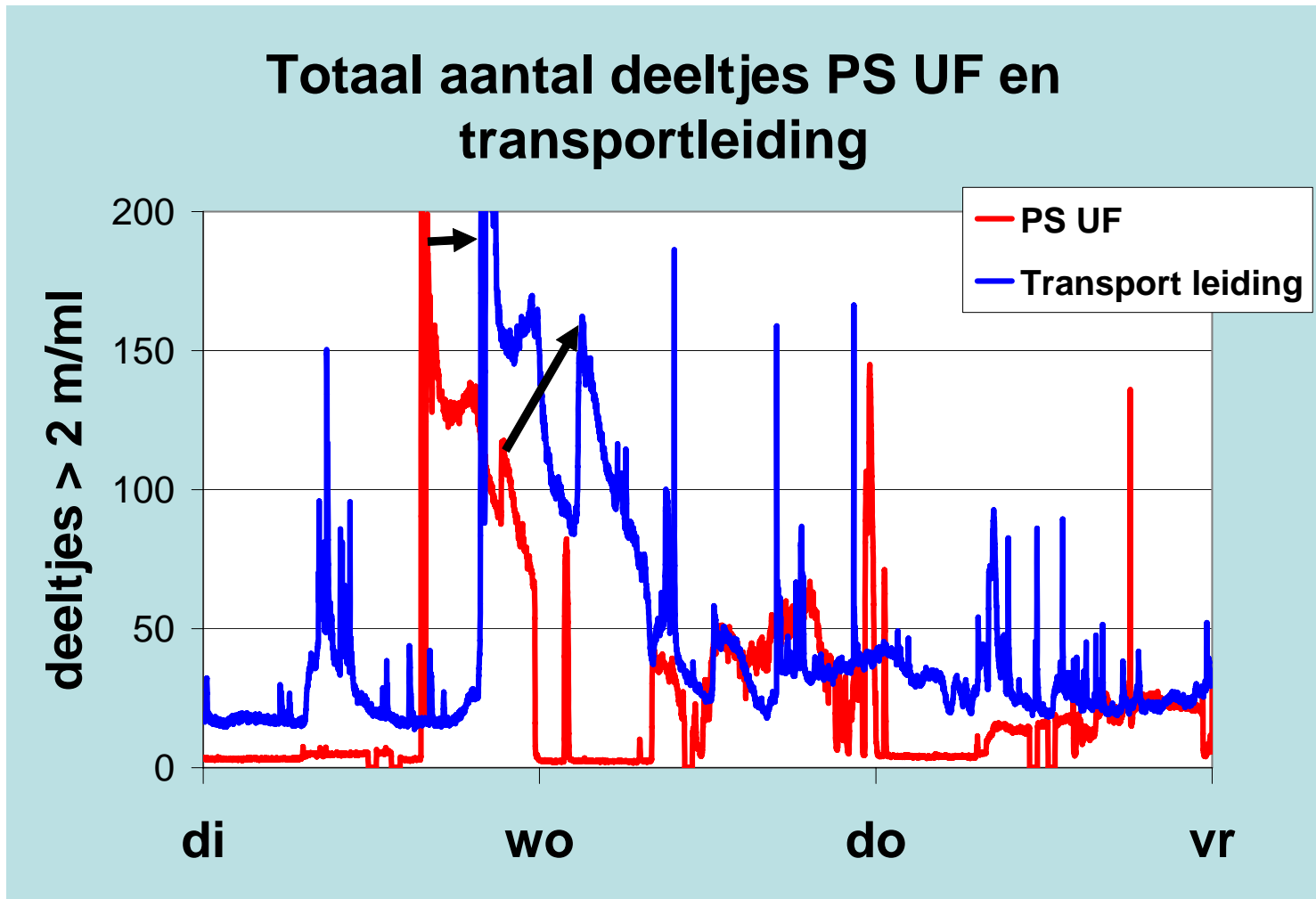
$$C_t = C_0 e^{Kt}$$



Reality is more complicated



But also encouraging



To read some more

- Appendix E Aleid manual (blackboard)
- Lewis Rossman EPA

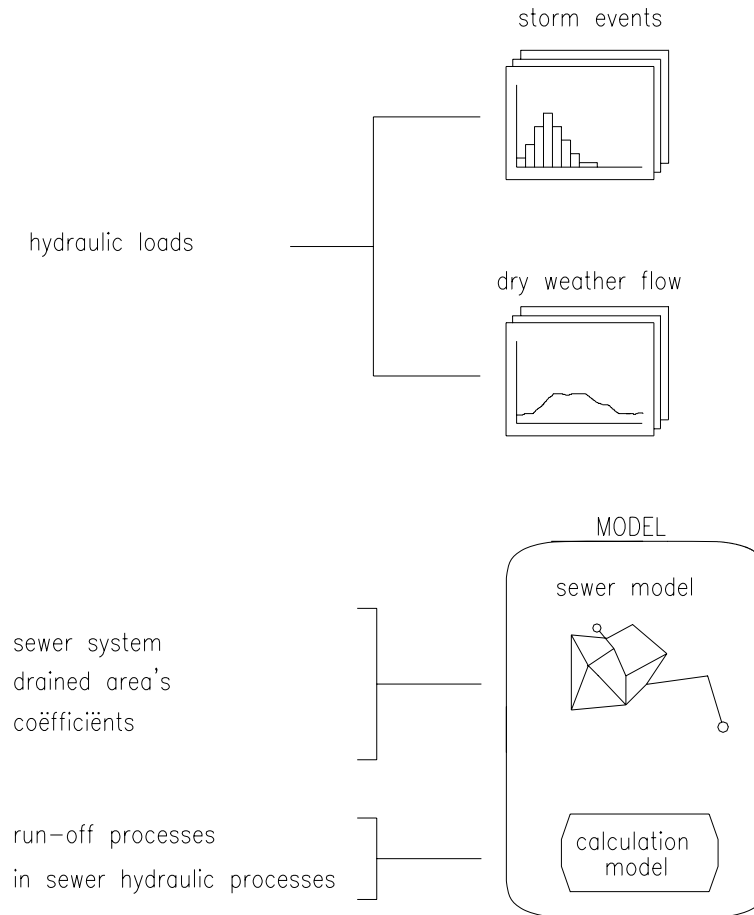
Open channel flow/urban drainage

- De Saint Venant equations are translated into finite difference equations
- Time dependency is most important difference with surcharged pipes

Processes in urban drainage modelling

- The hydraulic process, modelled in a numerical model
- Geometrical description: model of pipes and joints, ect
- Hydraulic load under dry weather and storm conditions

Components in urban drainage modelling



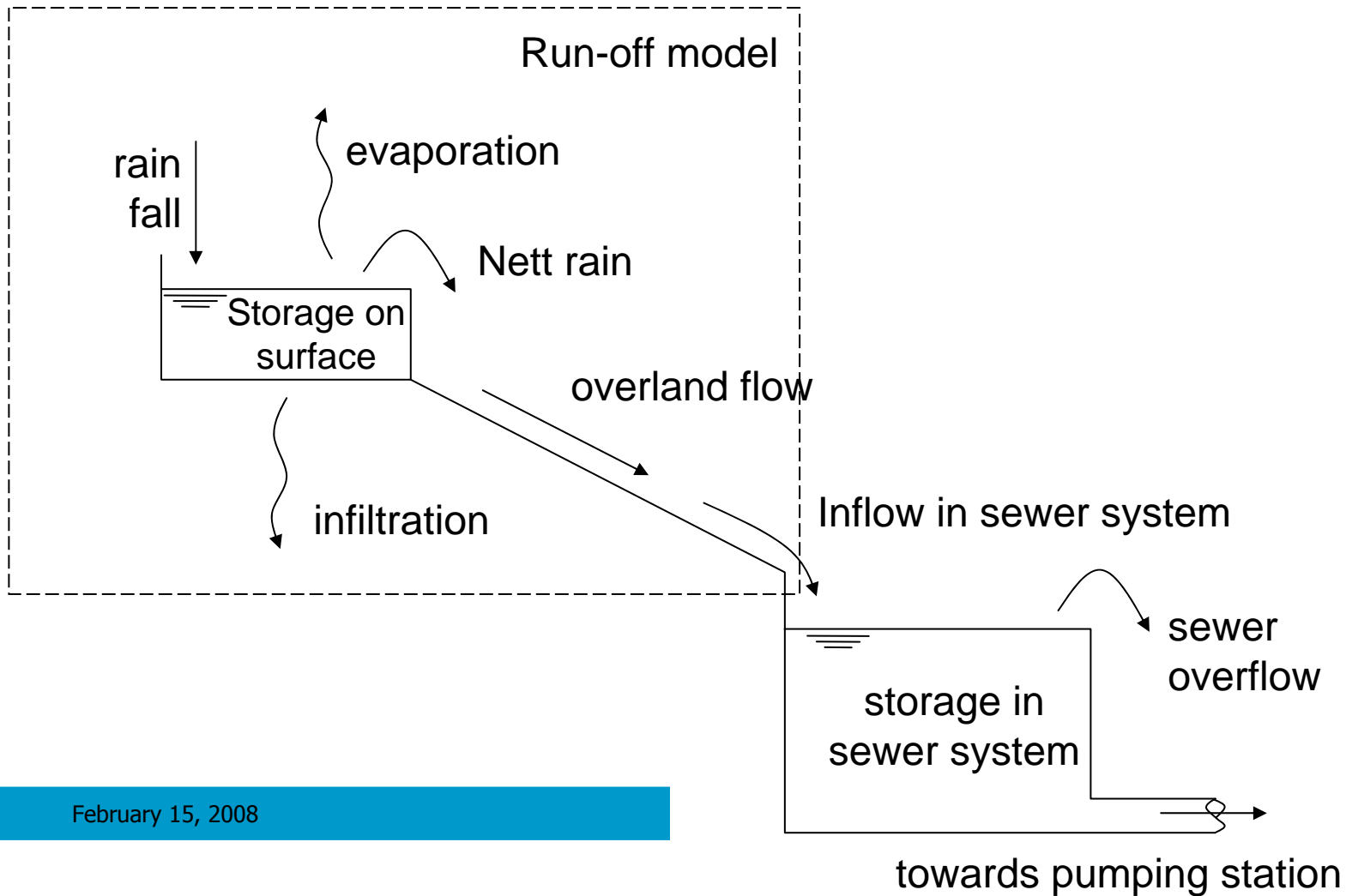
Loads urban drainage

- Dry Weather Flow (DWF)
 - Domestic wastewater
 - Industrial wastewater
 - Drain water due to leakage
- Data for domestic wastewater has conformity with drinking water supply
- Drain water can be up to 50%!

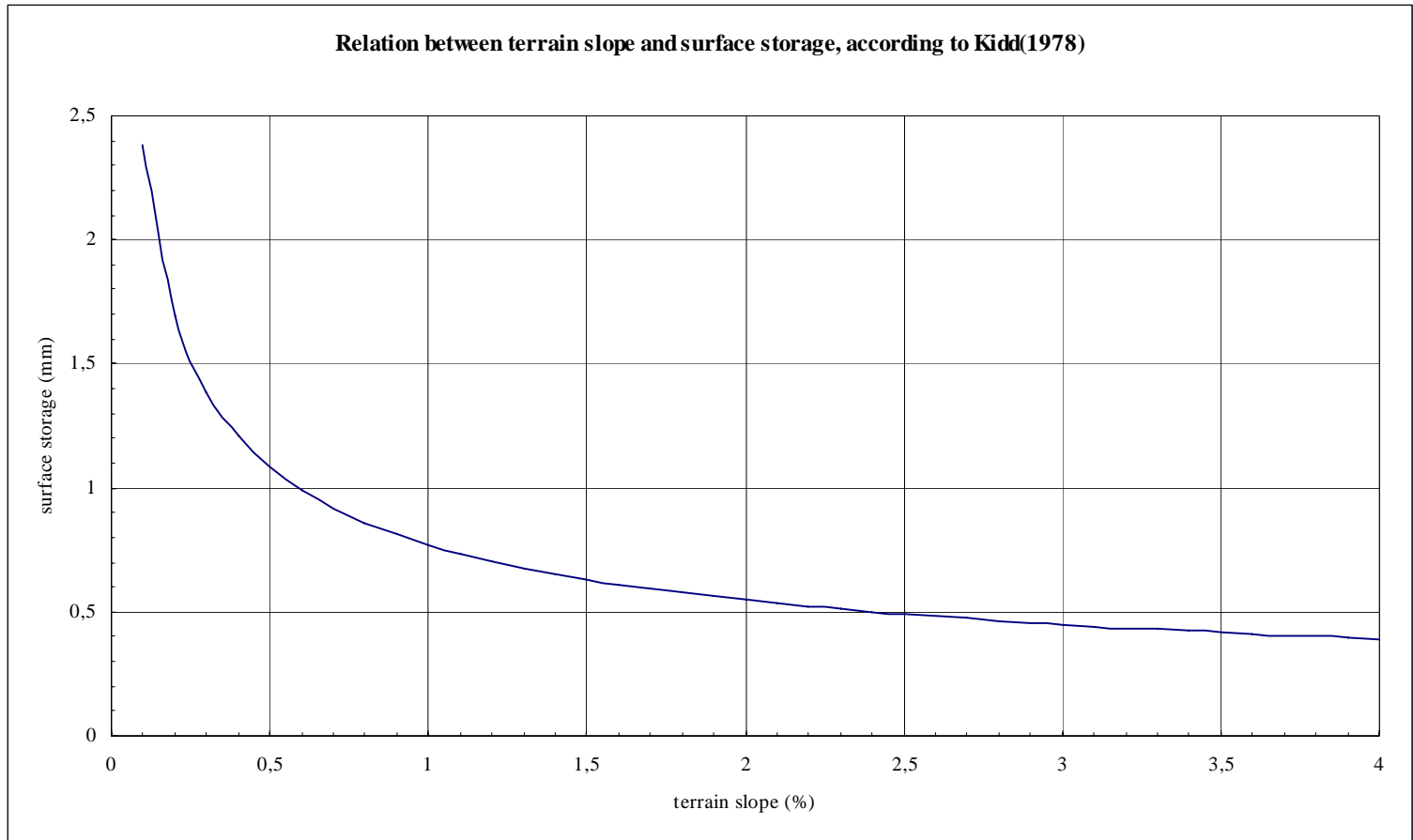
Loads urban drainage

- Storm conditions
 - Wetting of dry surface
 - Infiltration
 - Storage in local surface depressions
 - Evaporation
 - Overland flow

Loads urban drainage, storm conditions



Storage on local surface



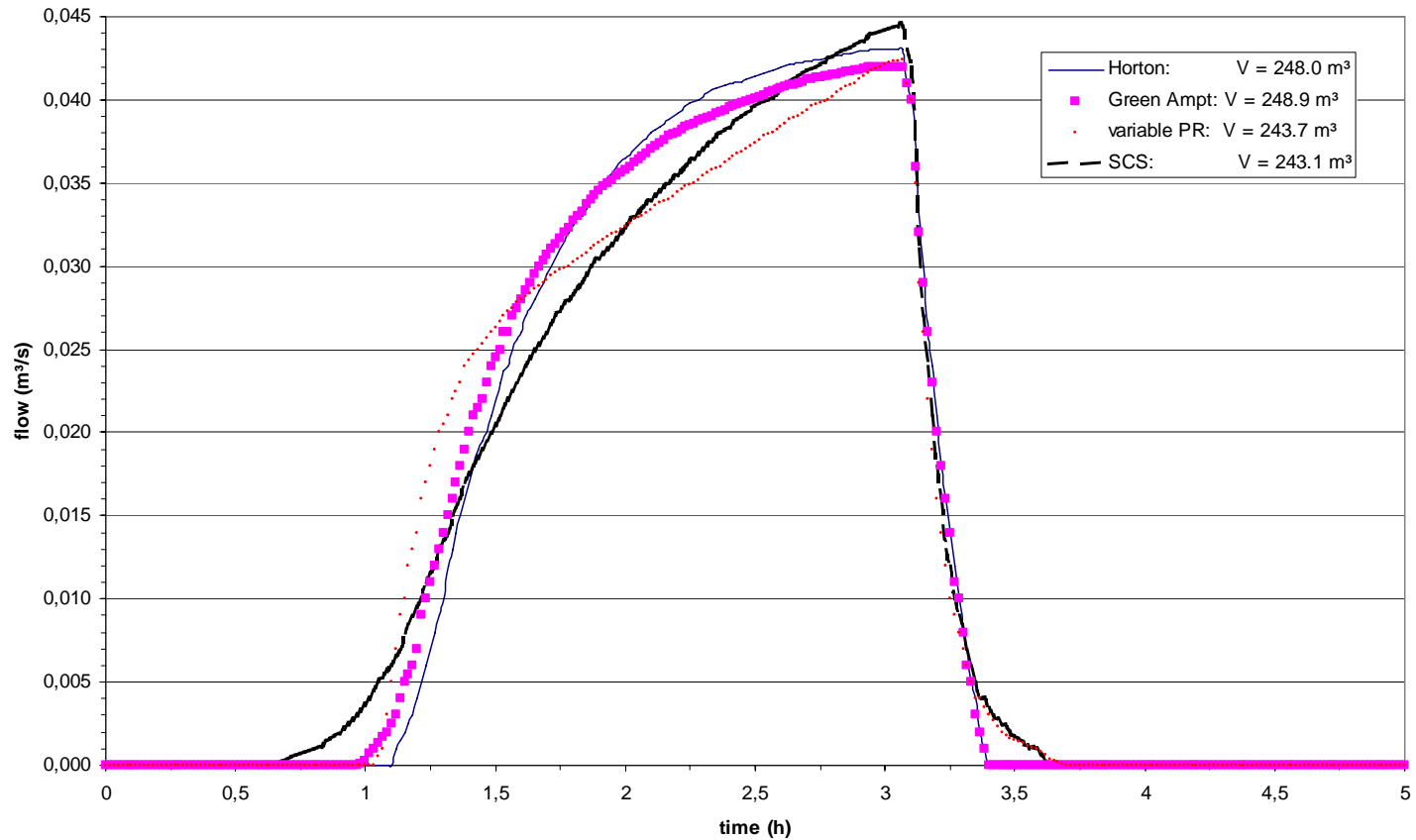
Evaporation and infiltration

- Evaporation dependent on various factors (temperature, wind speed, colour of surface, etc)
- Practical approach:
 - Neglect during individual storms or give a constant value
- Infiltration dependent on various factors (saturation, groundwater level, surface, etc)
- Practical approach:
 - Constant rate model

Run-off

- Run-off occurs when 'all is saturated'
- Several models available (annex to lecture notes, see also Thesis Clemens)
- Practical approach: Simple models with the smallest number of parameters

Performance run-off models



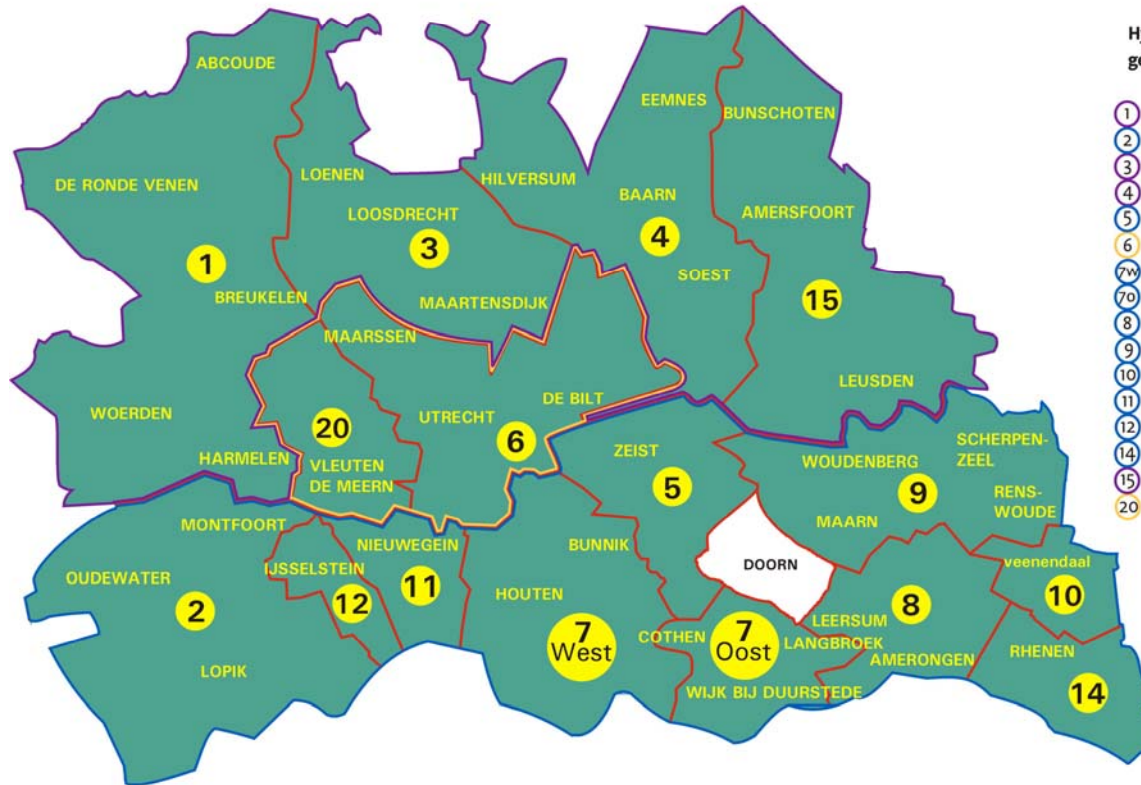
Build up of a network model

- Simulation of flow and pressure
- Risk management:
 - Reliability assesment at calamities and planned activities
- Operation:
 - Design major structure
 - Balancing production
 - Water quality and cleaning

Model build up town Utrecht

- Determine area boundaries and level of schematisation
- Water balance and pipe model
- Demand allocation and modulation
- Modelling supply and installation controls
- Model verification
- Report and knowledge transfer

Service areas



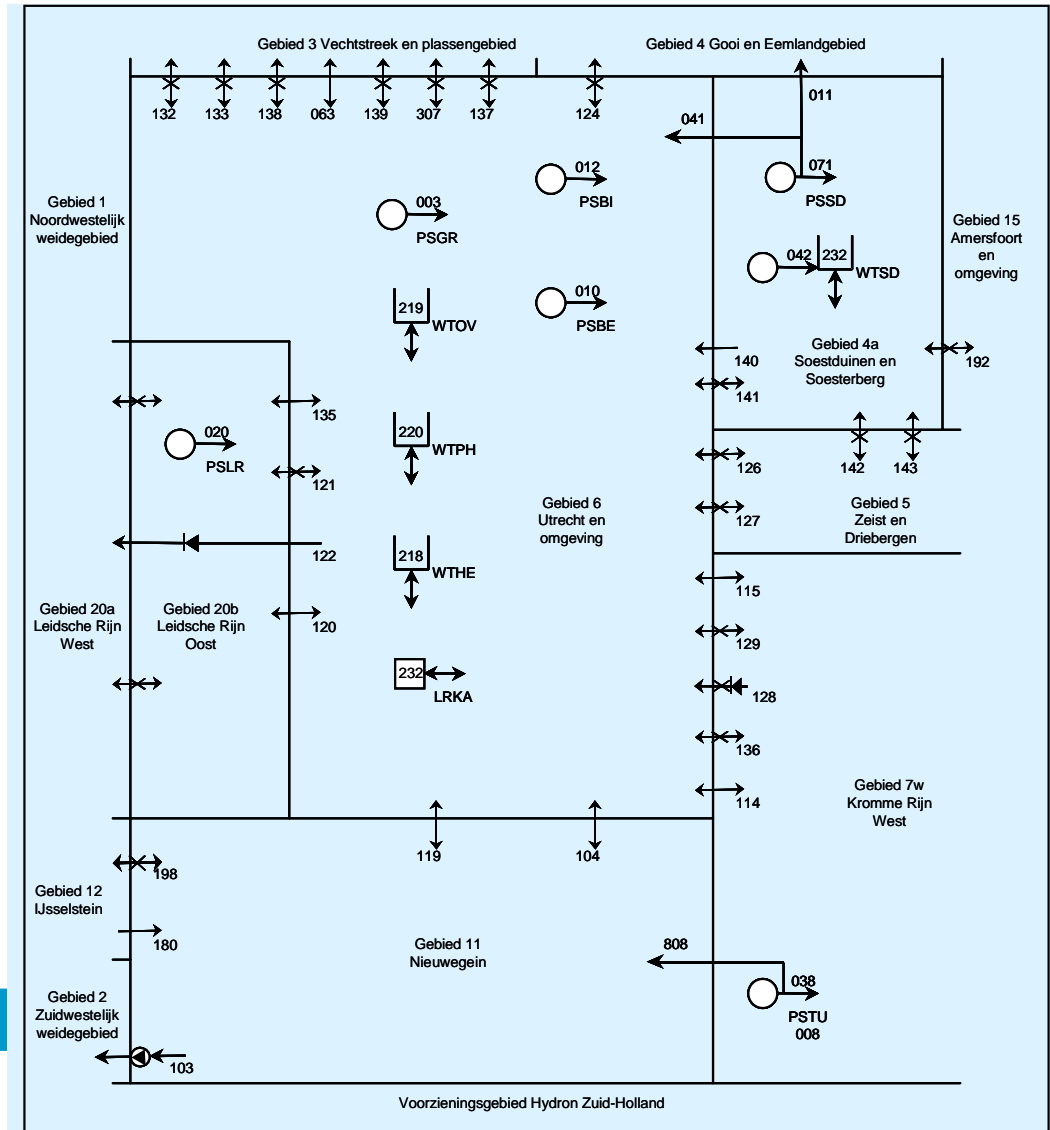
Hydron Midden-Nederland gebieds indeling

- ① Noordwestelijk weidegebied
- ② Zuidwestelijk weidegebied
- ③ Vechtstreek en plasseengebied
- ④ Gooi en Eemlandgebied
- ⑤ Zeist en Driebergen
- ⑥ Utrecht en omgeving
- ⑦w Kromme Rijn West
- ⑦o Kromme Rijn Oost
- ⑧ Leersum en Amerongen
- ⑨ Gelderse Vallei
- ⑩ Veenendaal
- ⑪ Nieuwegein
- ⑫ IJsselstein
- ⑭ Rhenen
- ⑮ Amersfoort en omgeving
- ⑯ Leidsche Rijn

Watervoorziening/deelgebieden

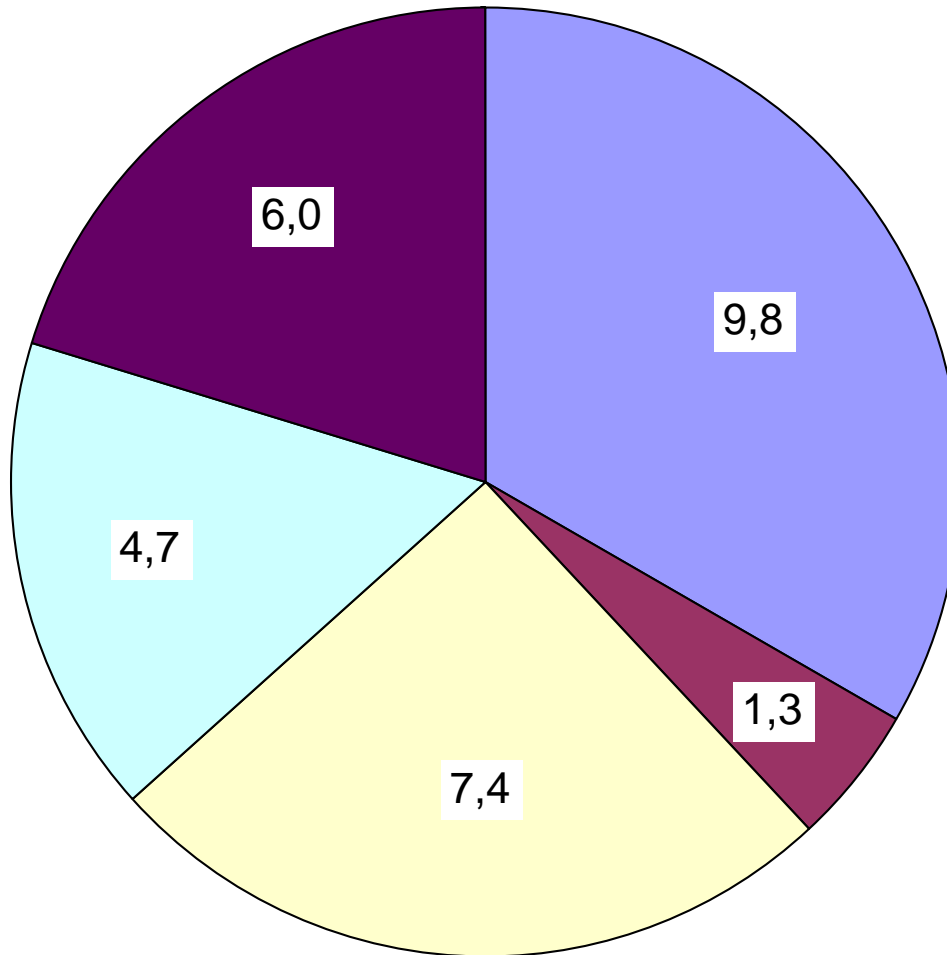
Schematisation model area

- Sub areas
- Pumping stations
- Reservoirs
- Connection points



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Water balance 2001 (in)

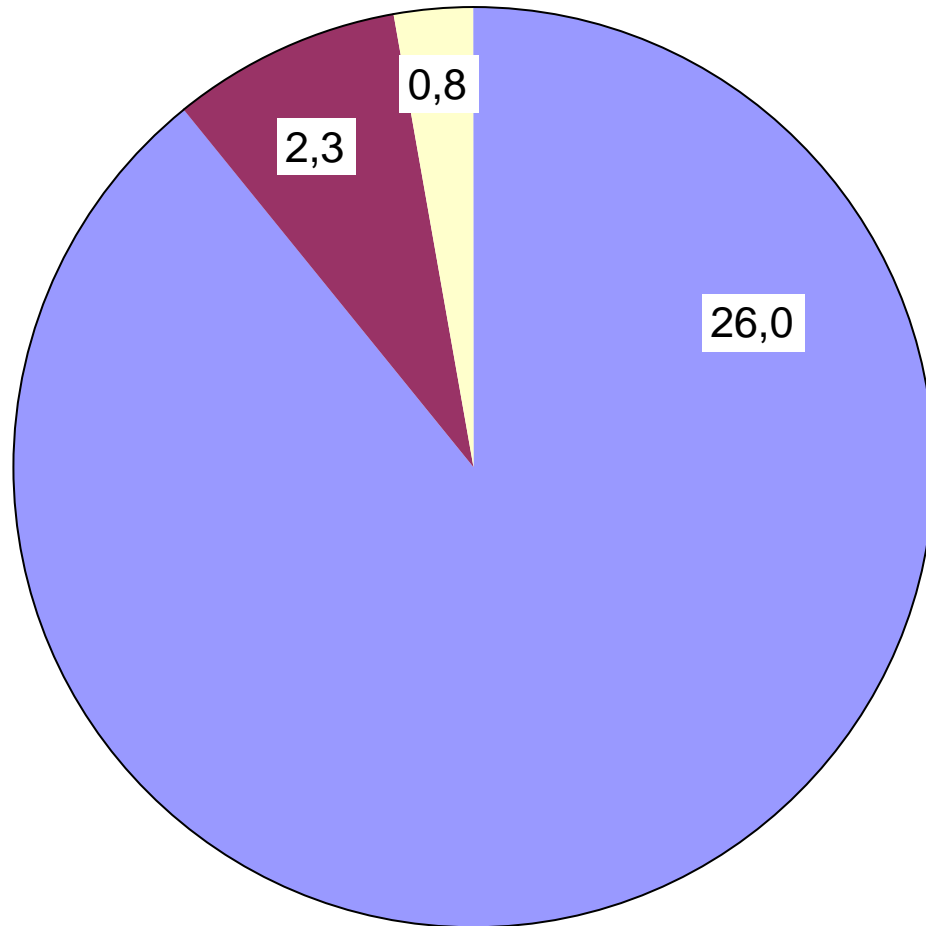


Productie 2001

totaal 29,2 Mm³/j



Water balance 2001 (uit)



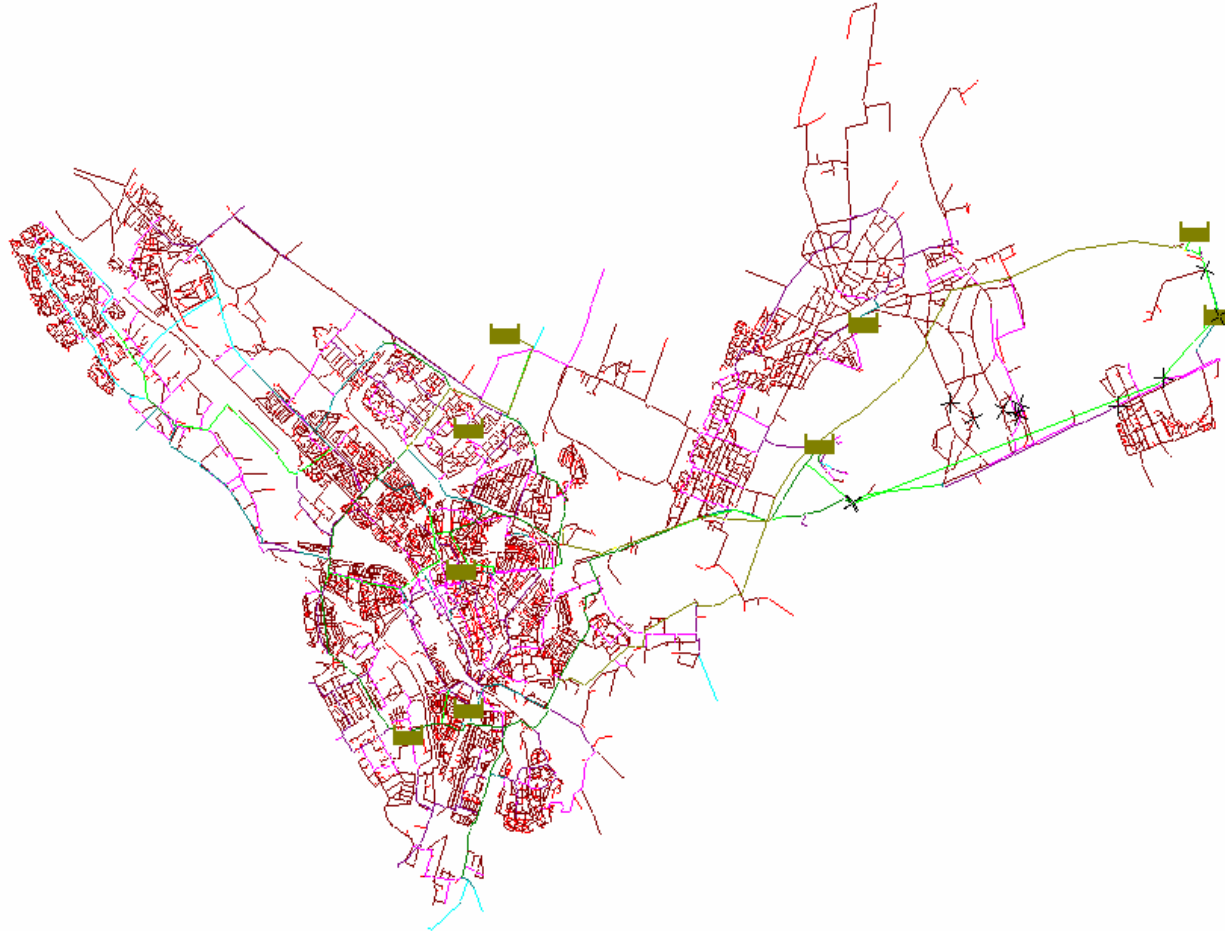
Levering 2001

total 29,2 Mm³/j



Network area 6 and 4 south

20.177 nodes en 23.268 pipes



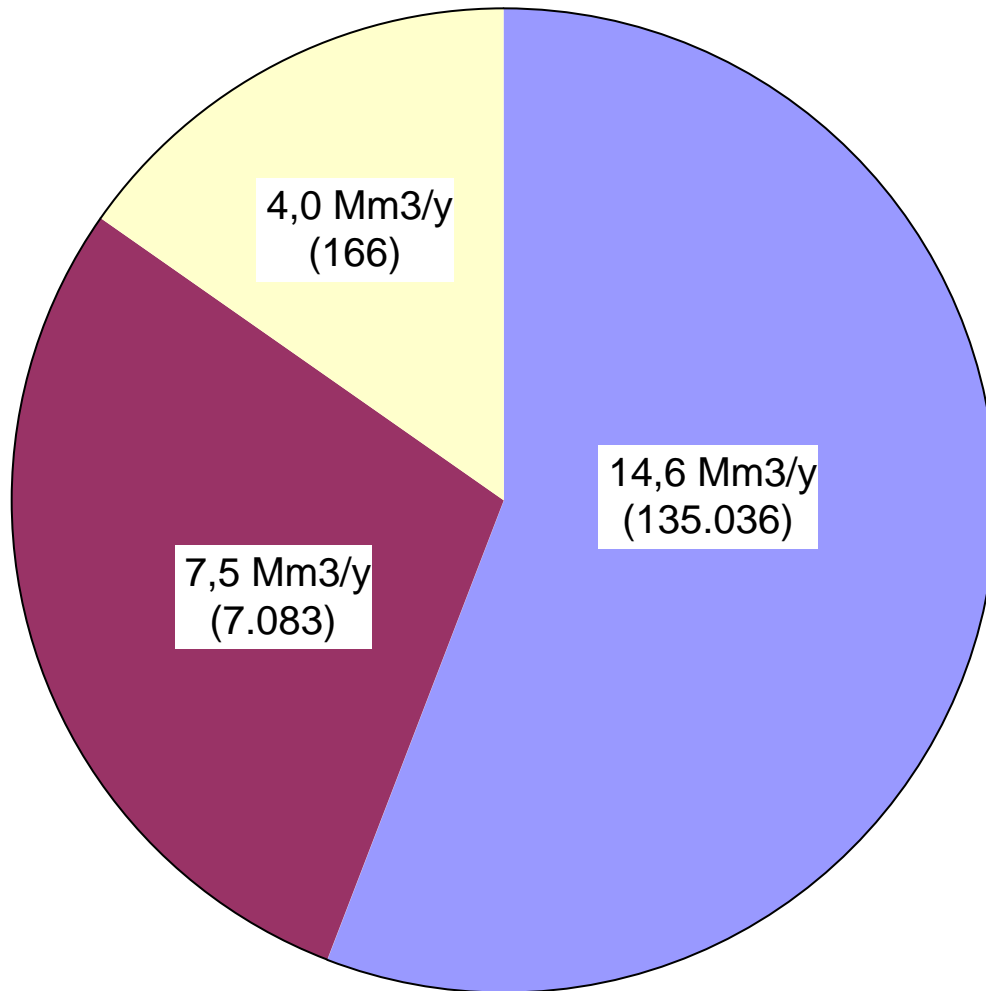
Industrial Nieuwegein 2001 (source: VIS)

<i>perceelnr</i>	<i>postcode</i>	<i>huisnr</i>	<i>verbr_code</i>	<i>verbr_vis2</i>	<i>klantnaam</i>	<i>straat</i>
164939	3435CM	1	3	91827	ST Antonius Ziekenhuis	Koekoekslaan
160625	3432GN	1	3	55562	NV Sportinr. Nieuwegein	Merweplein
1006917	3439LC	100	3	25649	Pen.Inr.UT locatie N'gein	De Liesbosch
149835	3432NZ	11	3	22135	Henkel Ecolab BV	Brugwal
160715	3433PE	5	3	21249	Kiwa NV	Groningenhaven
149842	3439MN	14	3	18171	Fom Instituut Rijnhuizen	Edisonbaan
171597	3437JG	1	3	15760	Stg Portaal Utrecht	Colijnpark
171602	3439LB	6	3	15361	Transportbeton Pioneer V.	De Liesbosch
170092	3437PD	77	3	13784	St.Altrecht FCI cred.adm.	Rembrandthage
165127	3435SB	2	3	13102	BV Expl Maats Poort v Nge	Buizerdlaan
170218	3439NT	80	3	12801	PTT Post BV / Fin.Adm.	Grote Wade
150723	3431SH	91	3	12514	Mitros Wonen	Nijpelsplantsoen
1	Kiwa 'used' in 2001 2,4 m3/uur on avarage					Nijpelsplantsoen
1						Nijpelsplantsoen
10						WPM.
1	(365 dagen/jaar; 24 hour/day) circa € 100/werkdag					Winkelcentrum Galecop
						Nijpelsplantsoen

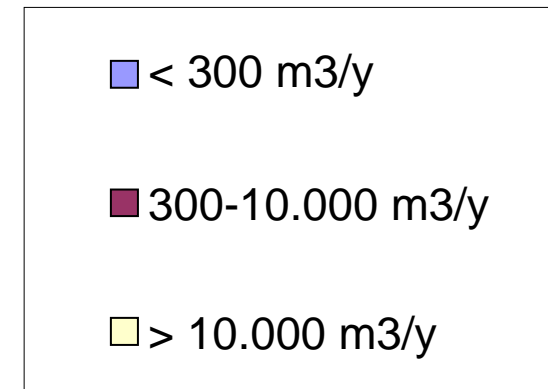
Drinking water supply Kiwa

- 21249 m³/year
- Industrial/office: 50 weeks of 5 days, 10 hours per day, 140 persons
- Average hourly consumption 60 litre per person
- Average household consumption 130 lpppd

Supply in 2001 (VIS)



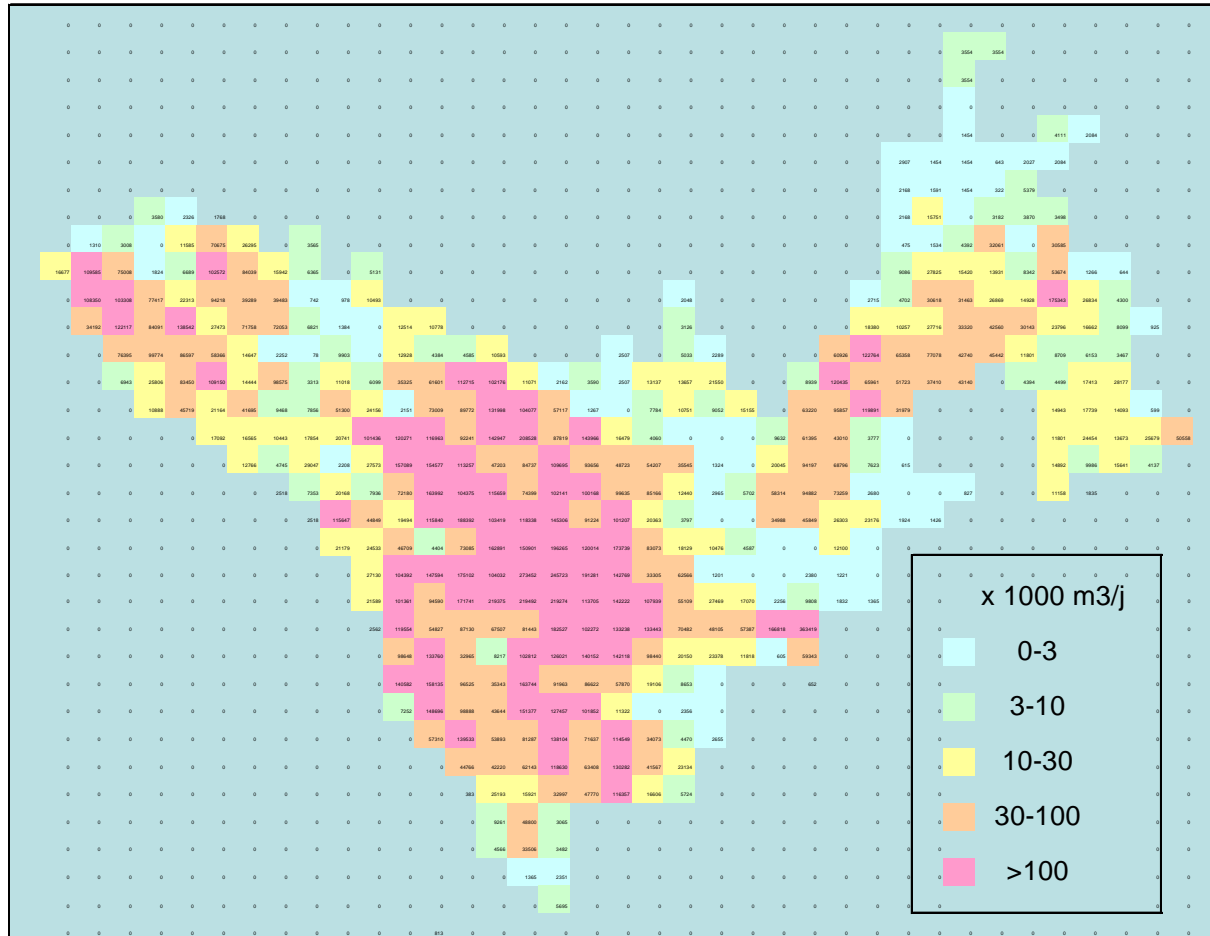
per supply category



total 26,0 Mm³/y

circa 142.000 connections

Supply in 2001 per grid 500 x 500 m2



Water balance 26 March 2002

