ta3220 - Fluid Flow, Heat and Mass Transfer Heat transfer in tubes

1. An operator wants to heat oil by pumping it through a heat exchanger. In the heat exchanger, the oil flows at a velocity of 0.6 m/s through cylindrical tubes 6 m long and of 0.025 m inside diameter. Steam outside the tubes maintains the temperature of the <u>inside</u> surfaces of the tubes at 373 K throughout the tube length. The oil enters the heat exchanger at 273 K. What is the temperature of the oil <u>leaving</u> the heat exchanger? You may assume that the oil properties are independent of temperature.



A 1 km length of 6-inch I.D. steel pipe, with 1-inch-thick walls, has hot oil flowing through it. The outside air temperature is 70°F, and the heat-transfer coefficient on the outer pipe wall is h_{outer}= 100 W/(m² K). For the steel pipe itself, k = 16.3 W/(m K). The oil enters the pipe at 300°F at a flow rate of 100 bbl/hr. The properties of the oil are given below, and can be assumed to be independent of temperature. What is the temperature of the oil 1 km from the pipe inlet? <u>Please do your calculations in SI units.</u>

Properties of Oil $\rho = 0.95 \text{ g/cc}$ C, $\bar{\rho} = 1.5 \text{ cal/(g °C)}$ k = 0.10 Btu/(hr ft °F) $\mu = 100 \text{ cp}$ cross-section view axial view air, 70°F air. 70°F steel wall T = ? oil, 300°F 1 oil 1 km 3. Water at 300°F (liquid, under pressure) is injected into a fracture 2 mm wide with a velocity of 10 m/s. Assuming walls the walls of the fracture are uniform at at 150°F, how far does the water travel water at 300°F 150°F before its temperature drops to 200°F? Assume the water properties are those given below and are independent of temperature. properties of water $\rho = 1000 \text{ kg/m}^3$ $\mu = 0.001 \text{ Pa s}$ k = .680 W/(m K) $C_{n}^{n} = 4190 \text{ J/(kg K)}$ 4. A tube heat exchanger is used to heat oil before injection into a well to dissolve asphaltenes. Hot water inside the tubes is used to heat the oil, which is on the outside of the tubes. The geometry of a tube is shown below. The tubes are of inner diameter 1 inch (2.54 cm) and outer diameter 1.5 inch (3.81 cm). In addition, each tube has a layer of solid scum on the outside, with outer diameter 5 cm. The thermal conductivities of the tube material and the scum are 16.3 W/(m K) and 1 W/(m K), respectively. At the outer surface of the scum, the heat-transfer coefficient is 50 W/(m² K). Inside the tube, water flows at velocity 1 m/s; the properties of water are given below.

The heat exchanger is not efficient enough. There are several things the operator could do to improve the rate of heat-transfer through the tubes; he could

- (a) eliminate the scum (leaving the same value of h at the outer surface of the pipe),
- (b) replace the material of the pipe with a new material with k = 100 W/(m K) (thereby <u>also</u> eliminating the scum, but leaving the same value of h at the outer surface),
- (c) increase turbulence in the oil flow past the tubes, increasing h at the outer tube surface from 50 to 500 W/(m² K) (leaving the scum in place), or
- (d) increase the rate of water flow <u>inside</u> the tube by a factor of 10 (leaving everything else the same).

By what factor much would each strategy, <u>**if used alone**</u>, increase the rate of heat transfer through each tube?

 $\rho = 1000 \text{ kg/m}^3$ $\mu = 0.001 \text{ Pa s}$ k = .680 W/(m K) C,[^] $_p = 4190 \text{ J/(kg K)}$

