



BIOMEDICAL ENGINEERING DESIGN

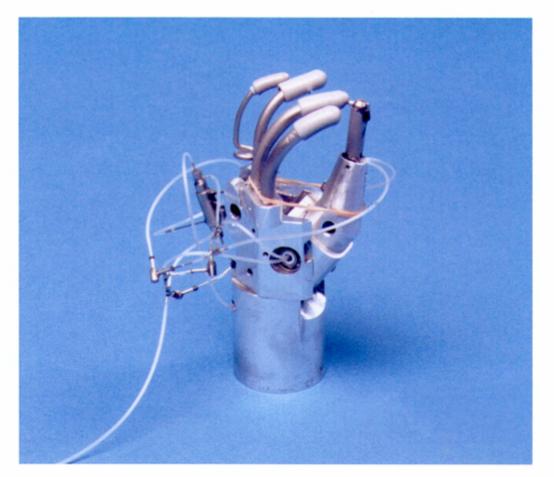
LECTURE STRUCTURE

- 1. INTRODUCTION CLINICALLY DRIVEN PROBLEM ANALYSIS ASSIGNMENT
- 2. BASIC REQUIREMENTS: REHABILITATION
- 3. BASIC REQUIREMENTS: ORTHOPAEDICS
- 4. PROBLEM ANALYSIS: STUDENT PRESENTATIONS
- 5. DESIGN ENGINEERING: THE CREATIVE PROCESS
- 6. DESIGN ENGINEERING PRINCIPLES
- 7. EXAMPLES: **REHABILITATION** ORTHOPAEDICS

A SIZZLING HAND PROSTHESIS

ON THE DESIGN AND DEVELOPMENT OF A PNEUMATICALLY POWERED HAND PROSTHESIS FOR CHILDREN

DICK H. PLETTENBURG



Presentation overview

Background
History of pneumatic actuation
Project goals
Methods
Results
Concluding remarks



Many different types of prostheses available

Background



WILMER, Netherlands Hosmer Dorrance, USA Otto Bock Healthcare GmbH Motion Control, USA

Background

 Many different types of prostheses available

But all fail to comply with the basic requirements

Background

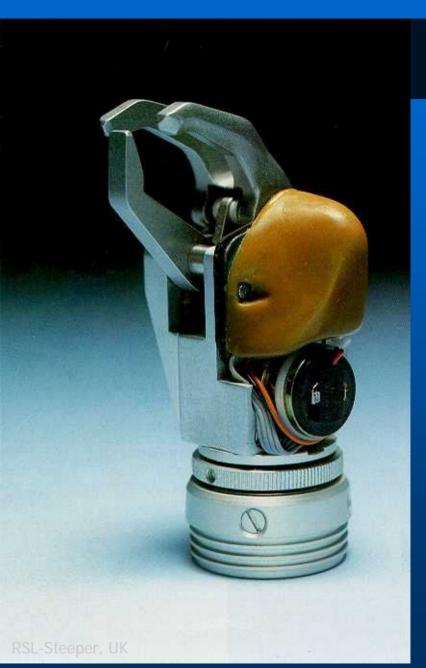


RSL-Steeper, UK Centri AG, Sweden Otto Bock Healthcare GmbH VASI Inc., Canada



Disadvantages electric actuation:

- Mass
- Speed
- Vulnerable
- Size

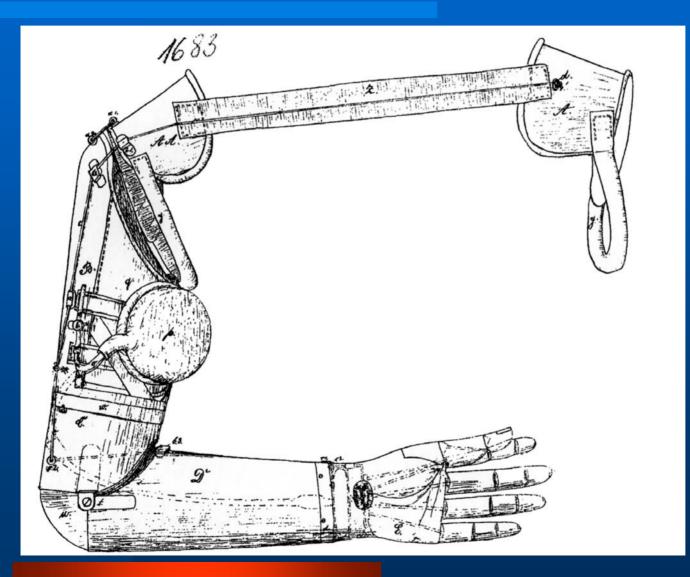




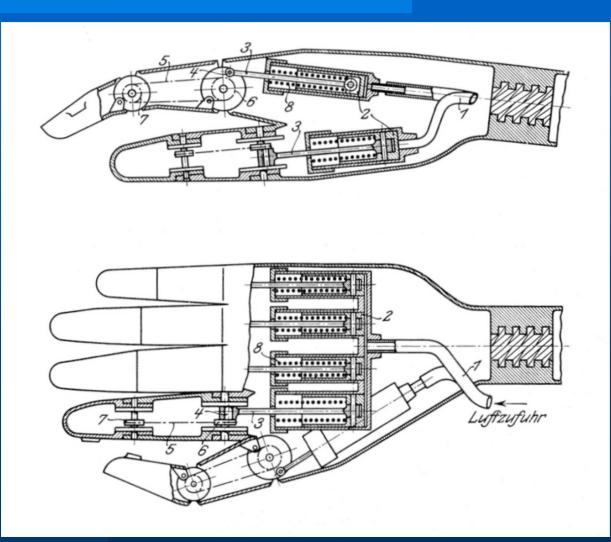
Pneumatic actuation:

- Light
- Fast
- Reliable
- Small

• Dates back to 1877!



Dalish, 1877



Anonymous, ± 1919

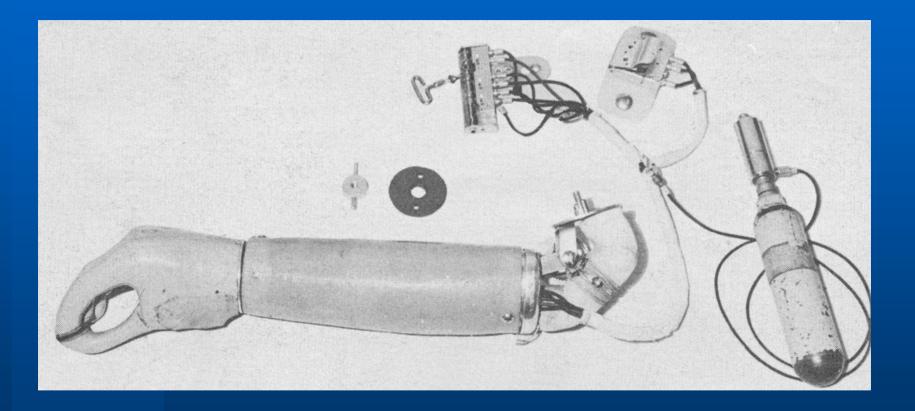
 Dates back to 1877!
 Boosted in mid 20th century: Thalidomide!

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 Boosted in mid 20th century: Thalidomide!

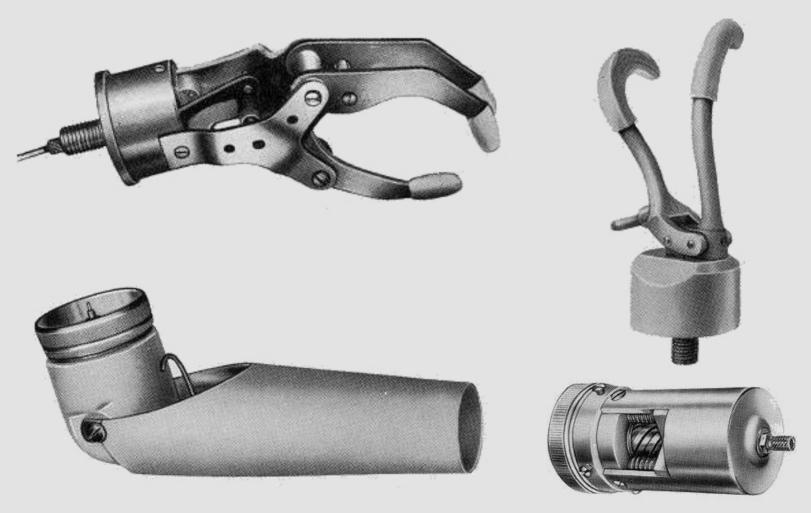




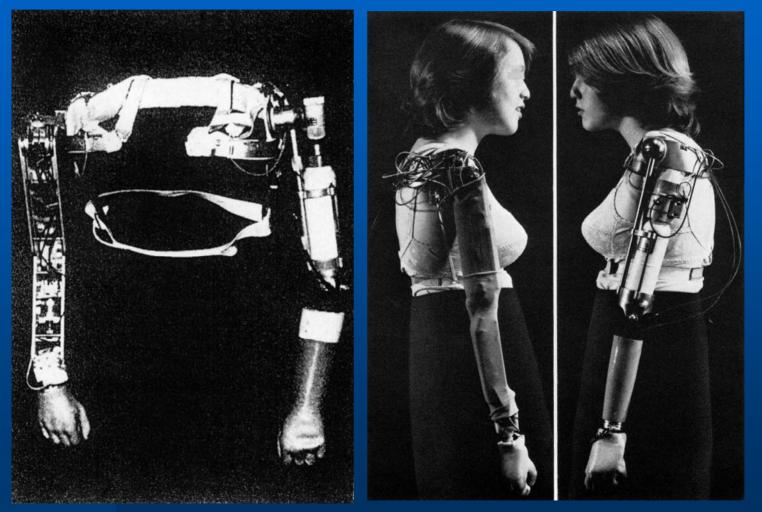
Heidelberg, 1949⁺



Steeper, 1964



Otto Bock, 1970+



Edinburgh, 1963 - 1977

Never successful:
 – Gas containers

- Gas consumption
- Overall mass





Project goals

Re-assessment pneumatic actuation: – Light? – Fast?

- Reliable?
- Small?

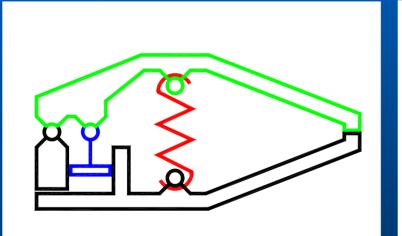
Method

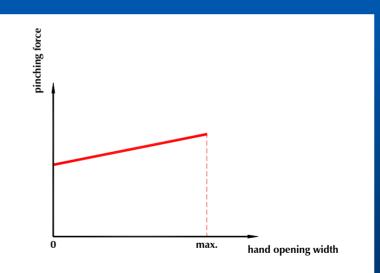
Minimize gas consumption by

 System choice
 Reduction of friction losses
 Reduction of dead space
 Supply pressure

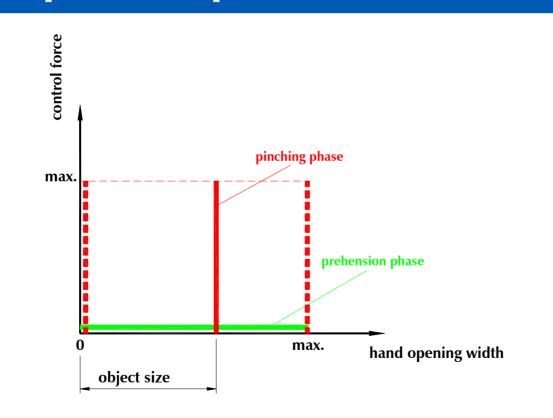
 Prototypes

• 'Standard' operation

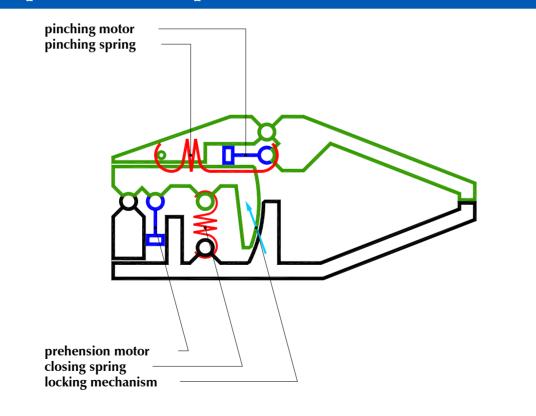




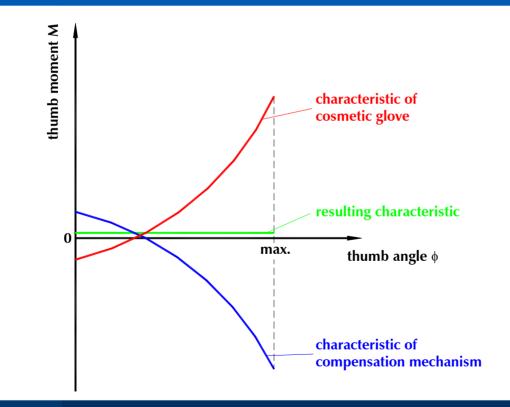
'Bi-phasic' operation

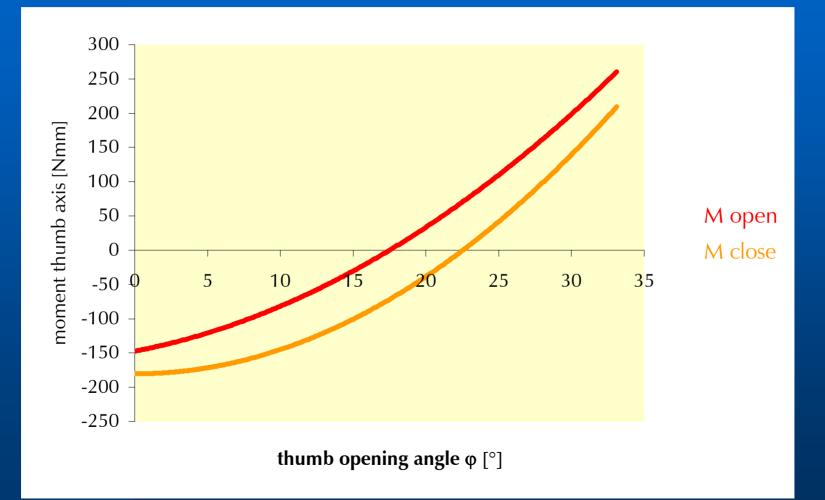


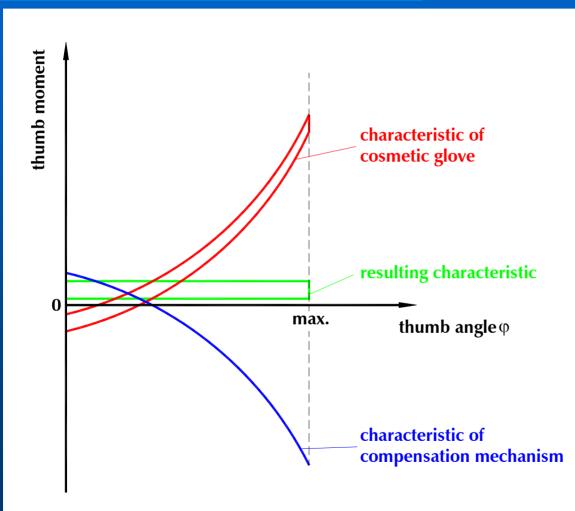
'Bi-phasic' operation

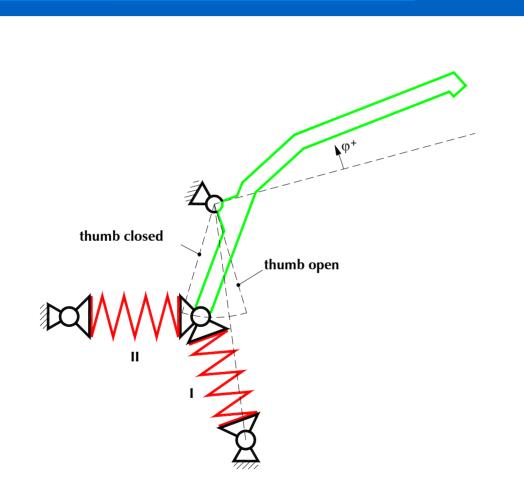


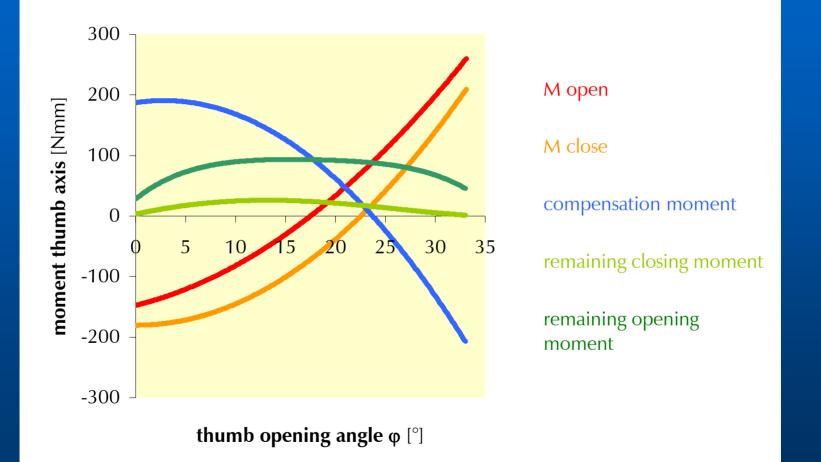
Glove compensation



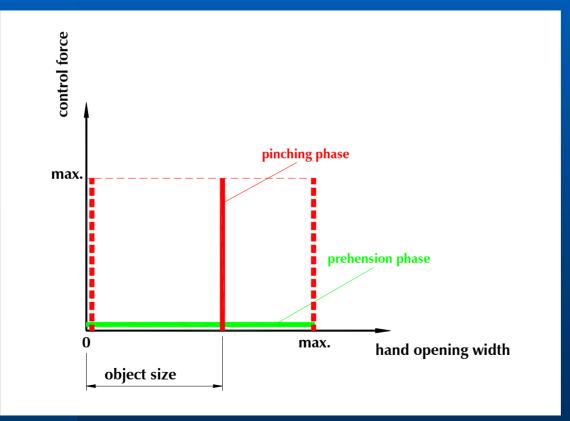


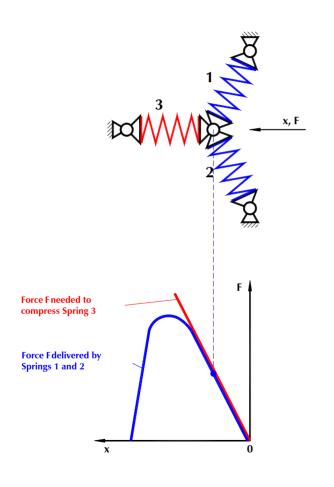


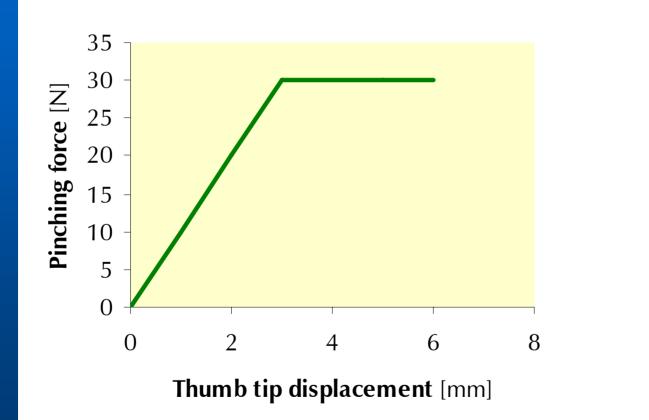


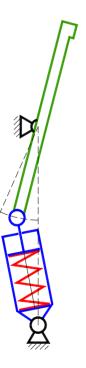


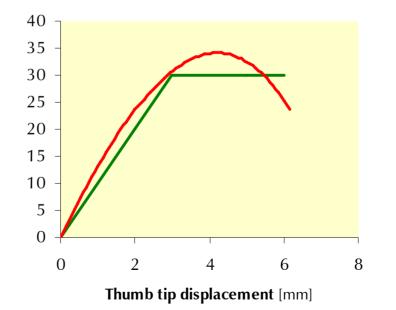
Pinching Phase Mechanism







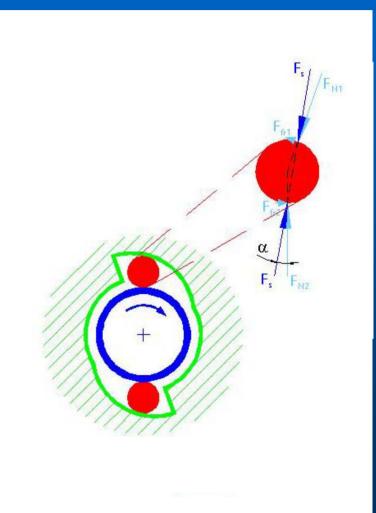




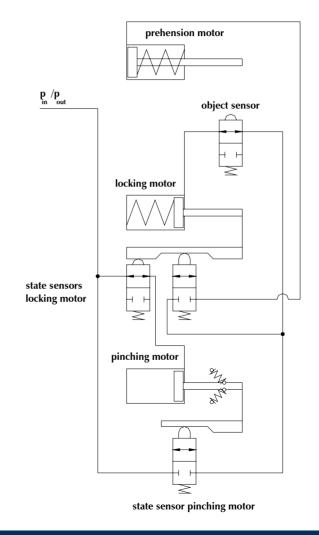
desired pinching force resulting pinching force

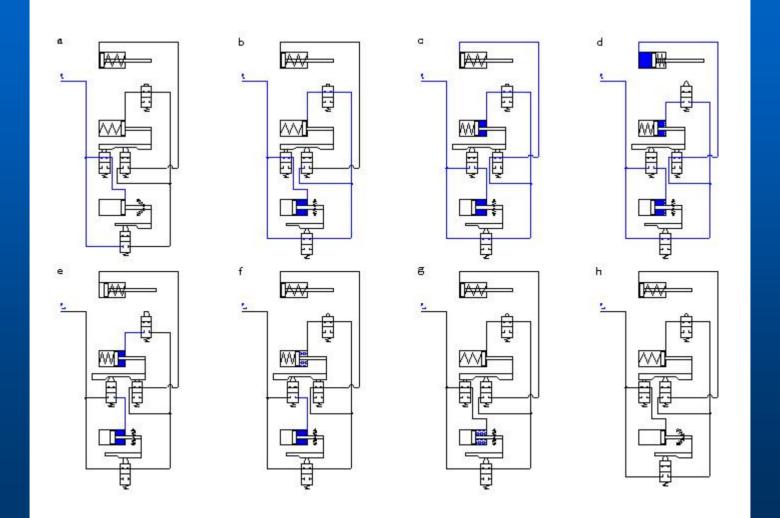
• Locking mechanism:

- Continuously adjustable
- Friction free
- Rigid
- Fast switching
- Low energy
- No backlash
- Quiet
- Overload protection



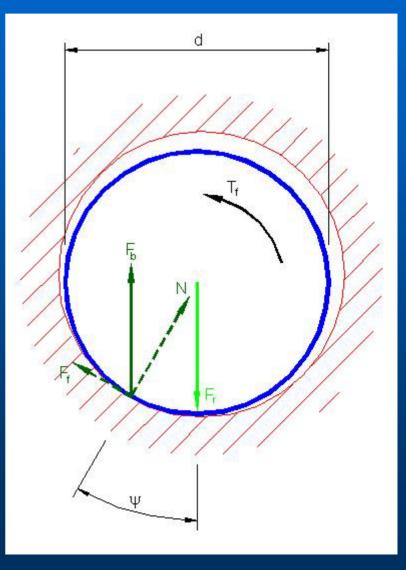
• Logical circuit





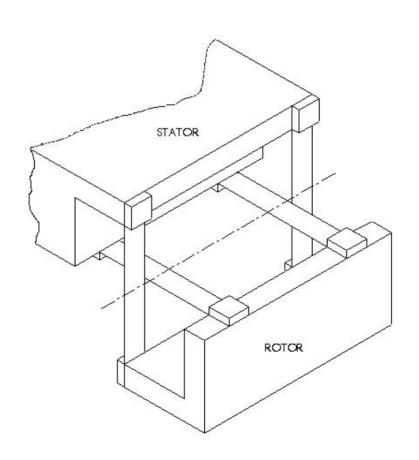
Pivot point friction:
 Journal bearings
 Ball bearings
 Flexible pivots
 Gas bearings

• Pivot point friction: – Journal bearings $T_f = f \cdot F_r \cdot \frac{d}{2}$



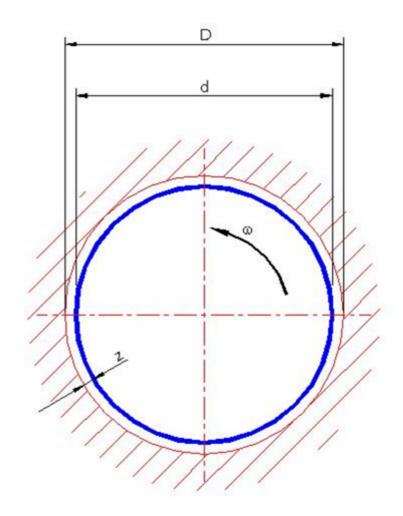
• Pivot point friction: - Ball bearings $T_f = 160 \cdot 10^{-7} \cdot f_0 \cdot d_m^3 + f_1 \cdot P_1 \cdot d_m$

$$\mathsf{T}_{z} = \frac{\mathsf{F}_{\mathsf{r}} \cdot \mathbf{\alpha} \cdot \boldsymbol{\varphi}}{4 \cdot \pi^{2}}$$



Pivot point friction:Gas bearings

$$T_{f} = \frac{\pi}{4} \cdot \eta \cdot \frac{F_{r} \cdot d^{2}}{\alpha \cdot \Delta p} \cdot \frac{\omega}{z}$$

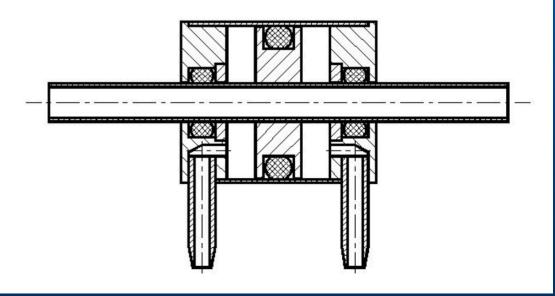


Pivot point friction assumptions:
 all pivots are loaded with the same force F_r
 the axis diameter d is the same for all pivot points
 the rotation angle φ = 30°, to be travelled in Δt = 0.1 s

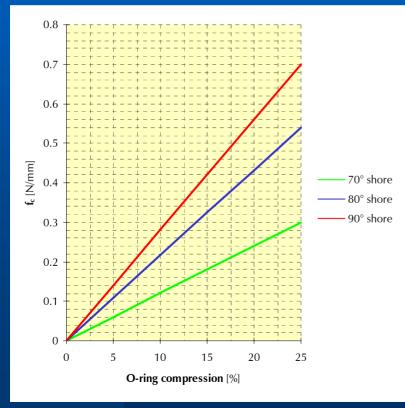
Pivot point friction:
 Journal bearings
 Ball bearings
 Flexible pivots
 Gas bearings

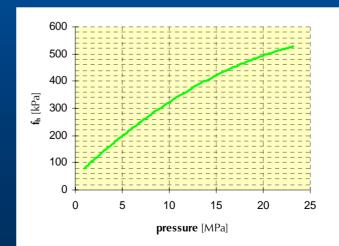
 $T_{f} = 0.05 \cdot F_{r} \cdot d$ $T_{f} \sim 0.0018 \cdot F_{r} \cdot d$ $T_{f} = 0.013 \cdot F_{r} \cdot d$ $T_{f} = 1 \cdot 10^{-7} \cdot F_{r} \cdot d^{2}$

Pneumatic seal friction:
 – Piston motor
 – O-ring seals



• **O-ring seal friction:** $F_f = [f_c \cdot L] + [f_h \cdot A]$





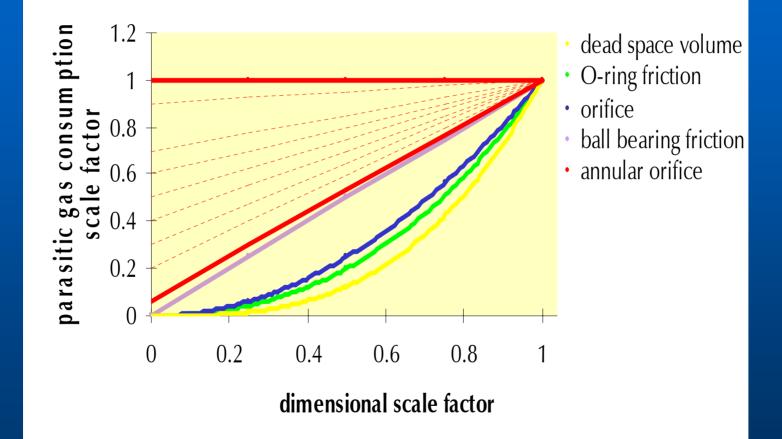
Method – dead space

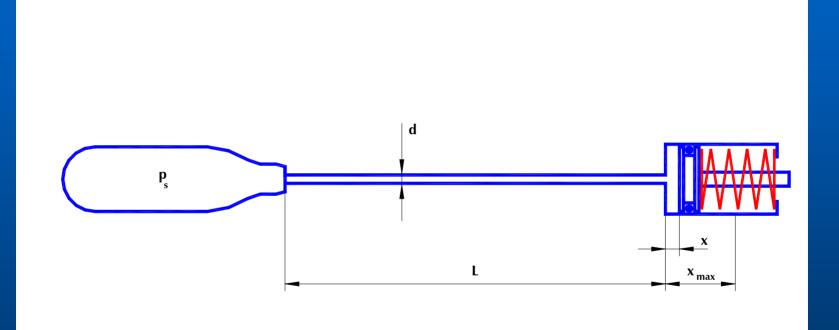
 $\mathbf{Q}_{\mathbf{p}} = \mathbf{\rho} \cdot \mathbf{V}_{\mathbf{ds}}$

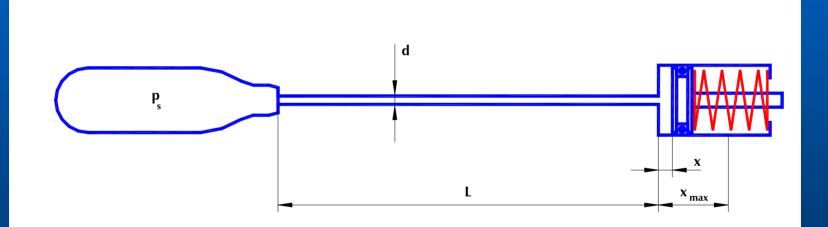
• Q_p friction losses?

• Q_p leakage?

Method – dead space







$$\mathbf{m}_{hc} = \rho \cdot \left[\mathbf{V}_{p} + \mathbf{V}_{c} \right] = \rho \cdot \left[\frac{\pi}{4} \cdot \mathbf{d}^{2} \cdot \mathbf{L} + \mathbf{x} \cdot \mathbf{A}_{c} \right]$$

$$m_{hc} = \rho \cdot \left[V_{p} + V_{c} \right] = \rho \cdot \left[\frac{\pi}{4} \cdot d^{2} \cdot L + x \cdot A_{c} \right]$$

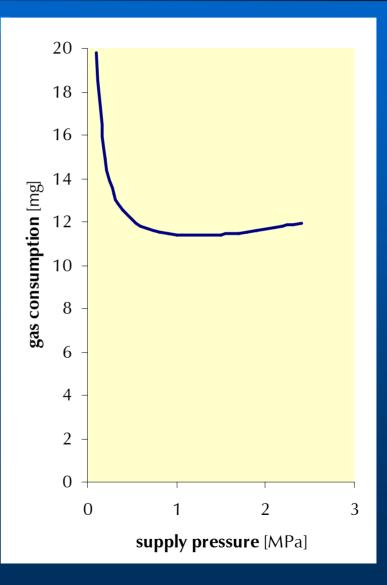
Optimal supply pressure level from:

$$\frac{\mathrm{dm}_{\mathrm{hc}}}{\mathrm{dp}_{\mathrm{s}}} = \frac{\mathrm{d}}{\mathrm{dp}_{\mathrm{s}}} \left[\rho \cdot \left[\frac{\pi}{4} \cdot \mathrm{d}^2 \cdot \mathrm{L} + \mathrm{x} \cdot \mathrm{A}_{\mathrm{c}} \right] \right] = 0$$

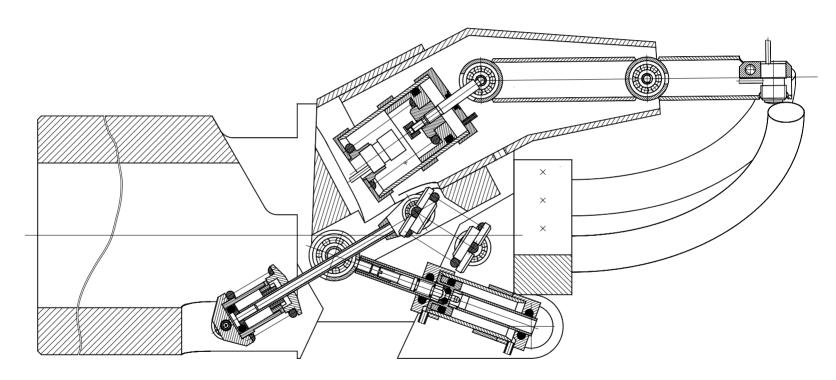
$$\frac{dm(p_{s})}{dp_{s}} = \frac{\frac{32 \cdot \eta \cdot l^{2}}{t} \cdot (0.01 \cdot T)^{3.333} + 12.4915 \cdot (p_{s} + p_{a})^{2}] \cdot \left[\left[\frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot p_{s}^{2}} + \frac{107.483}{(0.01 \cdot T)^{3.333}} \right] \cdot \ln \left[\frac{F_{0} - F_{top}}{c \cdot p_{s}^{2}} - \frac{57.517}{(0.01 \cdot T)^{3.333}} \right] \cdot \ln \left[\frac{F_{0} + F_{top}}{c \cdot x + F_{0} - F_{top}} \right] + \left[\frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot p_{s}^{3}} \cdot \ln \left[\frac{F_{0} - F_{top}}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \left[\frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \left[\frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{top} \cdot (2 \cdot F_{top} - F_{0})}{c \cdot x + F_{0} - F_{top}} \left[\frac{F_{0} - F_{0}}{c \cdot x + F_{0} - F_{top}} \right] + \frac{F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} \right] + \frac{F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} \right] + \frac{F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} + \frac{F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} \right] + \frac{F_{0} - F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} - \frac{F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} \right] + \frac{F_{0} - F_{0} - F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} - \frac{F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} \right] + \frac{F_{0} - F_{0} - F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} - \frac{F_{0} - F_{0} - F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} - \frac{F_{0} - F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} - \frac{F_{0} - F_{0} - F_{0} - F_{0} - F_{0}}{c \cdot x + F_{0} - F_{0}} - \frac{F_{0} - F_{0} - F_{0} - F_{0} - F_{0}}}{F_{0} - F_{0} - F_{0} - F_{0} - F_{0} - F_{0} - F$$

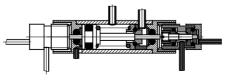
 $P_{s, opt} = 1.2 MPa$

Independent of: Δt , L, F_s, and x



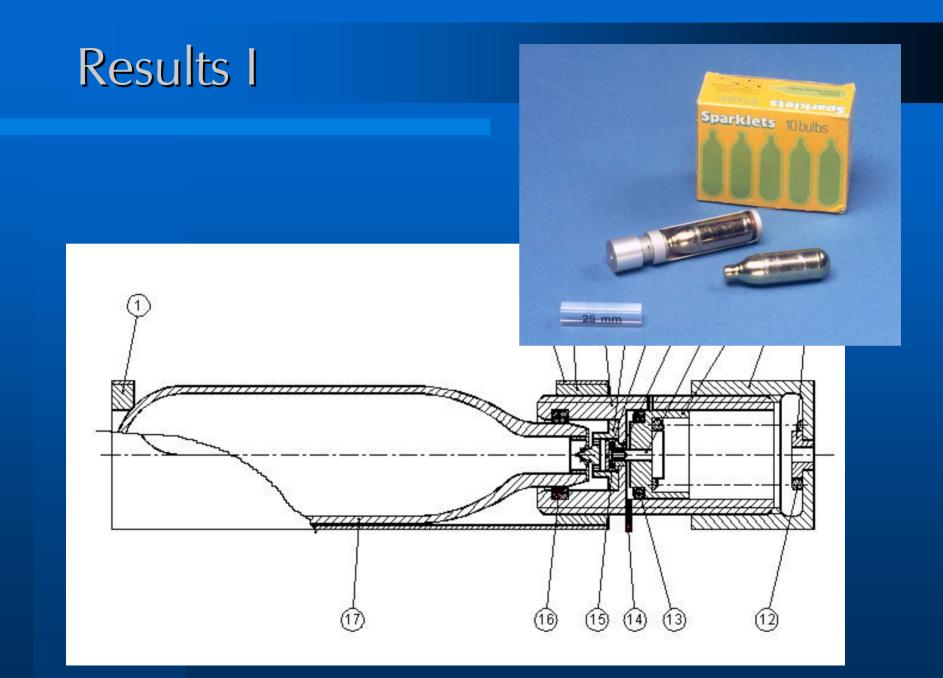
Method – prototype I





Results I



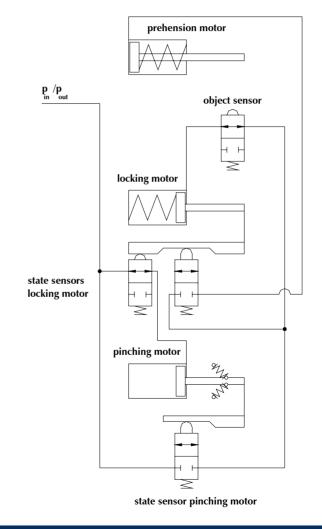




Addition of check valves
Pneumatic switch
Glove compensation

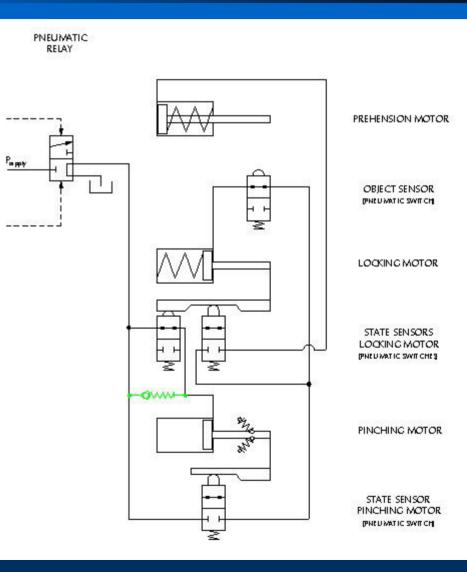


Logical circuit



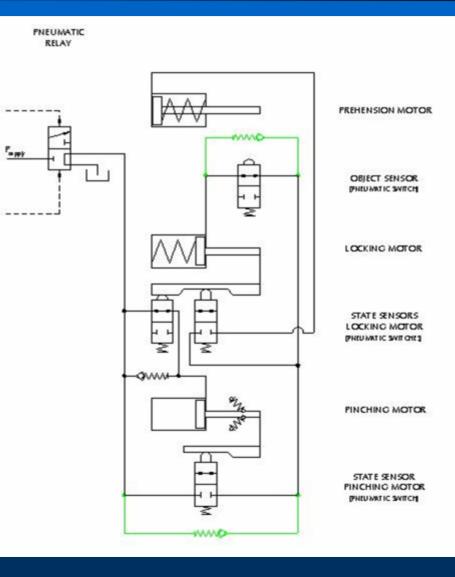


Logical circuit





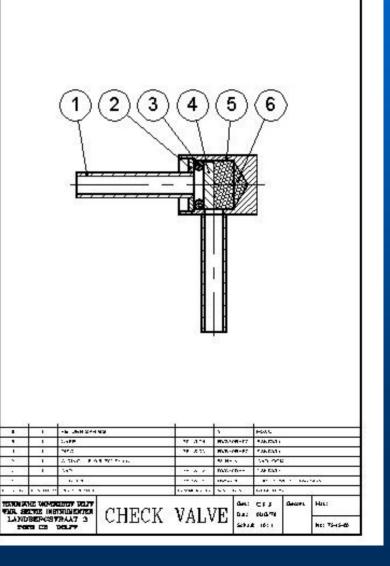
Logical circuit



Results I

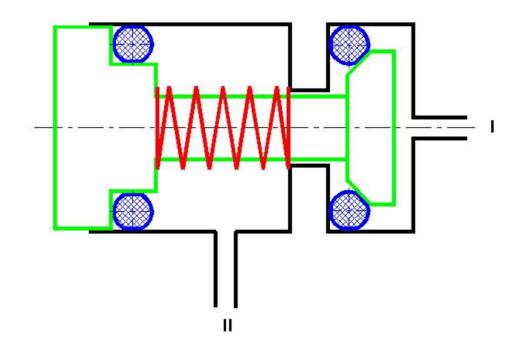
• 'Old timer' check valve



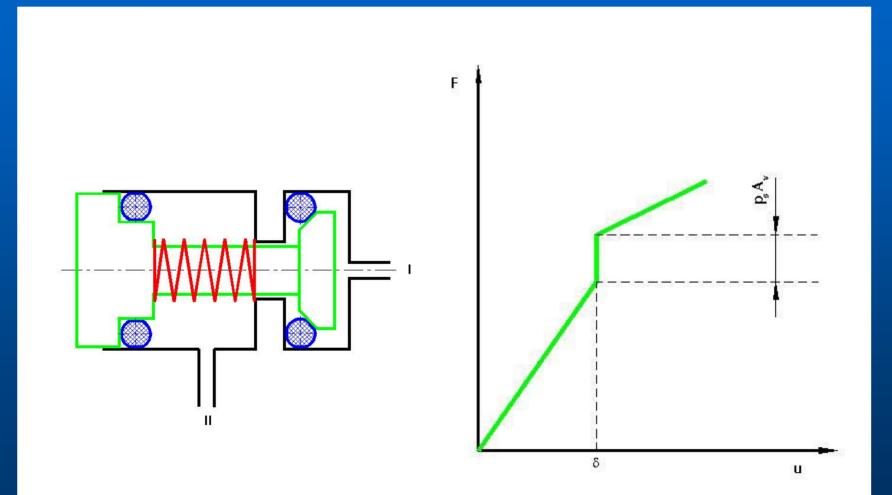




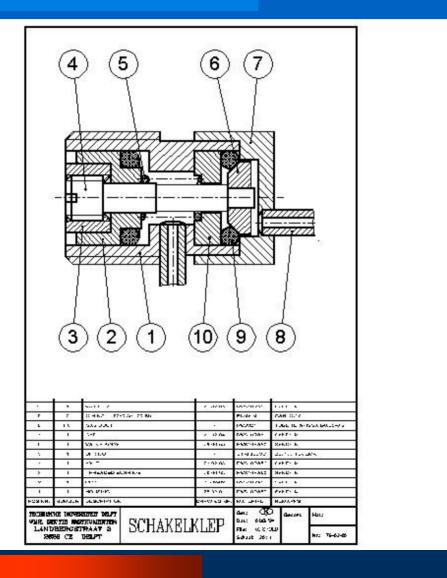
• Pneumatic switch



Results I

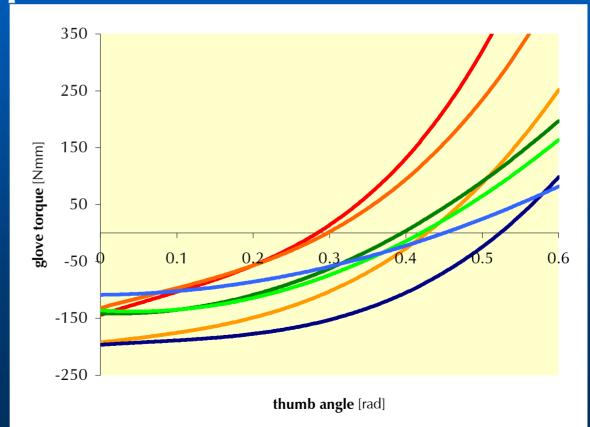


Results I





Glove compensation





• Endurance test: 77000 cycles

Results I

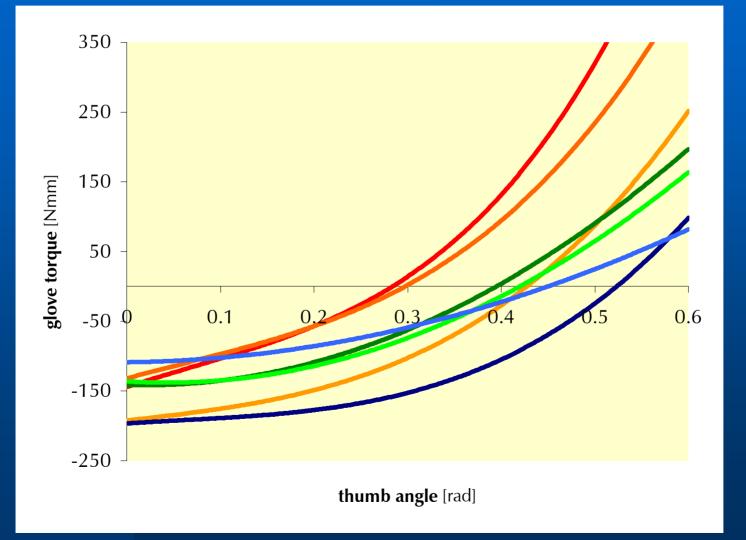
	MYOELECTRIC STEEPER	MYOELECTRIC OTTO BOCK	PNEUMATIC WILMER
MASS OF THE HAND [grams]	230	130	128
MASS OF THE ENERGY STORAGE SYSTEM [grams]	75	60	60
MASS OF THE COMPLETE PROSTHESIS [grams]	550	340	300*
ELBOW TORQUE [Nmm]	760	470	400*
ENERGY CONSUMPTION [per day]	1 BATTERY	1 BATTERY	0.5 GAS CONTAINER
OPERATING CYCLE [seconds]	2.5	>2.5	<1

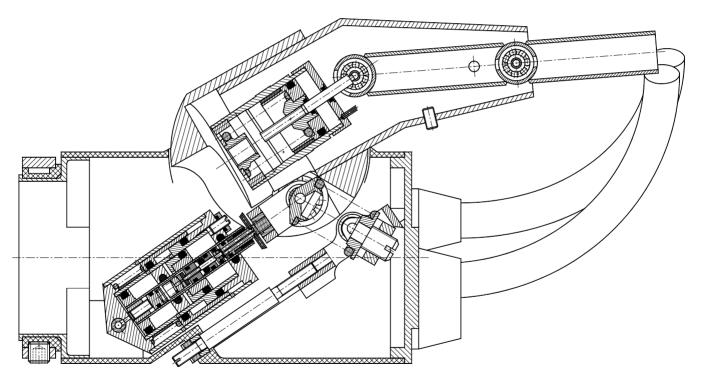
* estimated figure

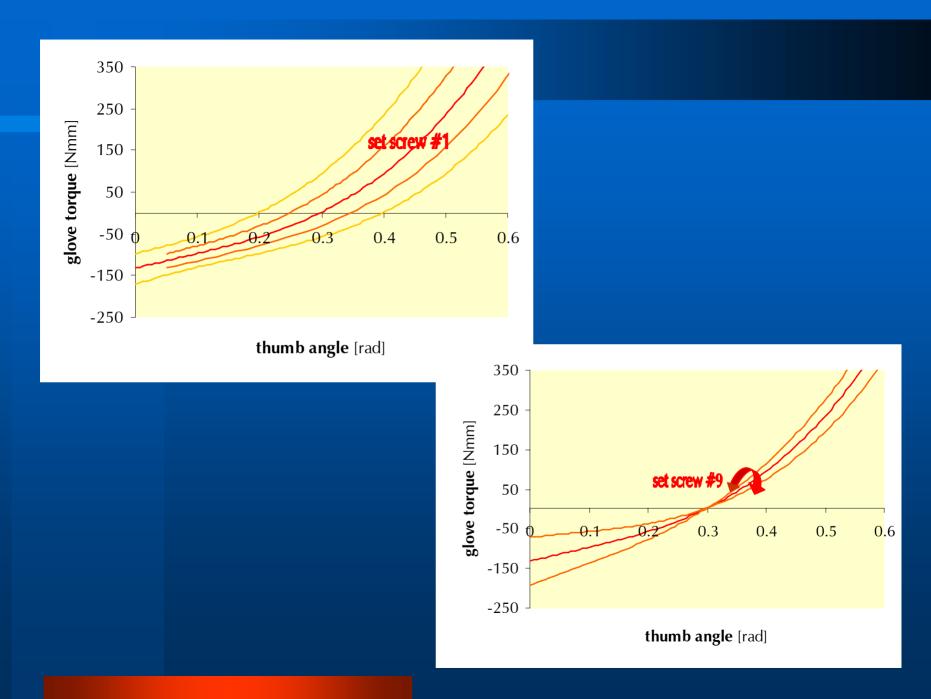
Method – prototype II

Glove compensation
Mass of frame
Pneumatical switch
Check valve

Method – prototype II

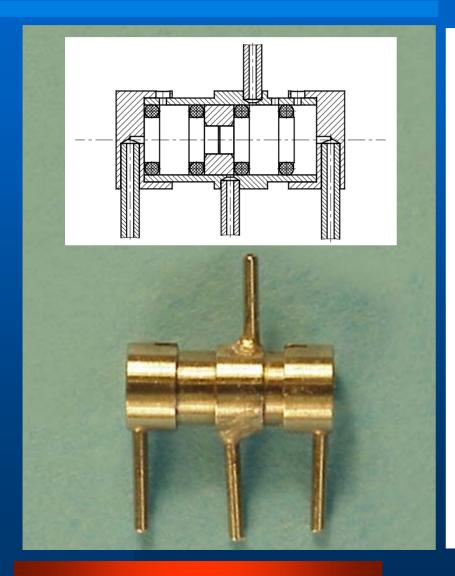


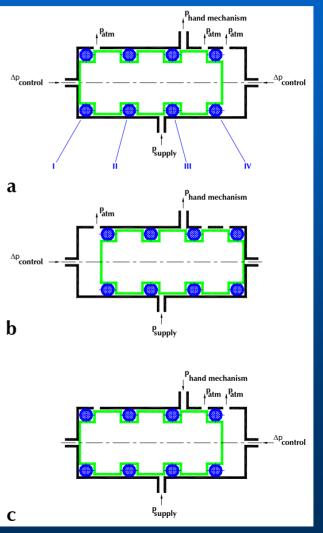


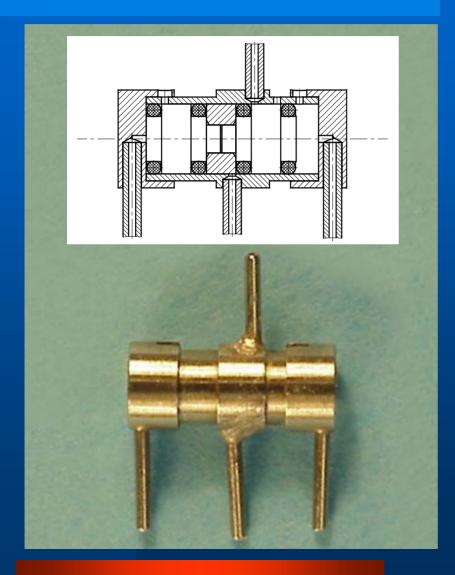




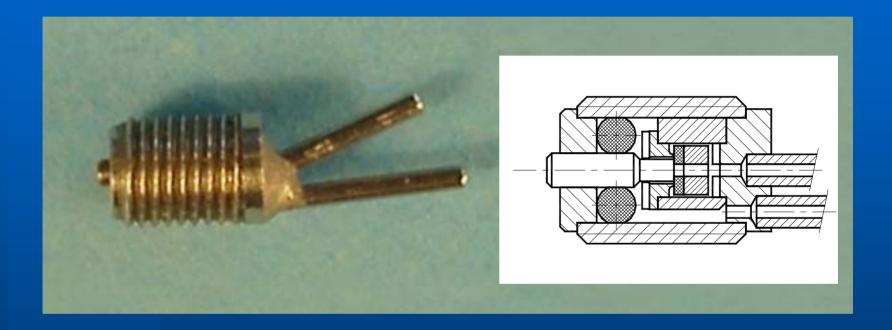






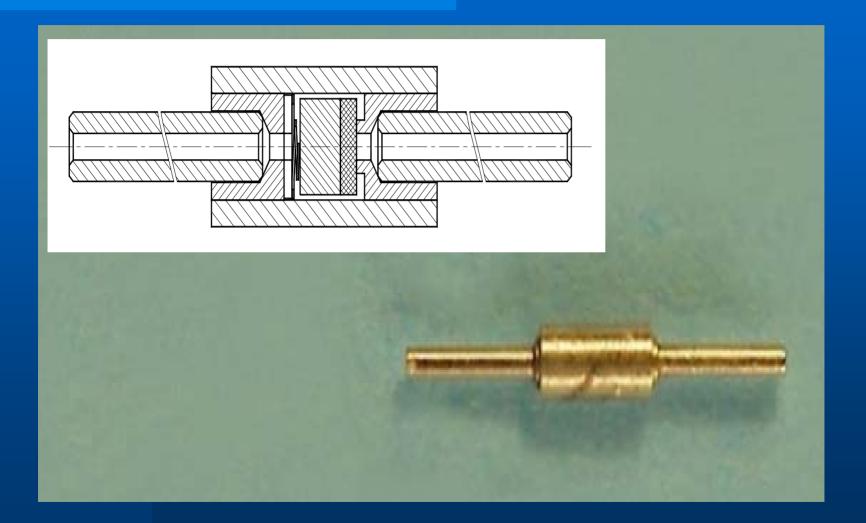


Pneumatic relay: - Ø 3.5 x 8.15 mm - $\Delta P = 0.4$ MPa - Q = 74.2 ltr/hr - m = 0.66 g





Pneumatic switch: - Ø 3.0 x 4.3 mm - F = 0.6 N - Q = 97.0 ltr/hr - m = 0.19 g





Check valve: - Ø 1.5 x 2.8 mm - $\Delta P = 48 \text{ kPa}$ - Q ≥ 120.0 ltr/hr - m = 0.05 g

Results II

	MYOELECTRIC STEEPER	MYOELECTRIC OTTO BOCK	PNEUMATIC TECHNICAL PROTOTYPE WILMER	PNEUMATIC CLINICAL PROTOTYPE WILMER
MASS OF THE HAND [grams]	230	130	128	60
MASS OF THE ENERGY STORAGE SYSTEM [grams]	75	60	60	36**
MASS OF THE COMPLETE PROSTHESIS [grams]	550	340	300*	250*
ELBOW TORQUE [Nmm]	760	470	400*	290*
ENERGY CONSUMPTION [per day]	1 BATTERY	1 BATTERY	0.5 GAS CONTAINER	< 0.5 GAS CONTAINER
OPERATING CYCLE [seconds]	2.5	>2.5	<1	<1

*

estimated figure estimated figure, based upon a mass for the pressure reducing valve of 4 grams after a redesign **

Concluding remarks

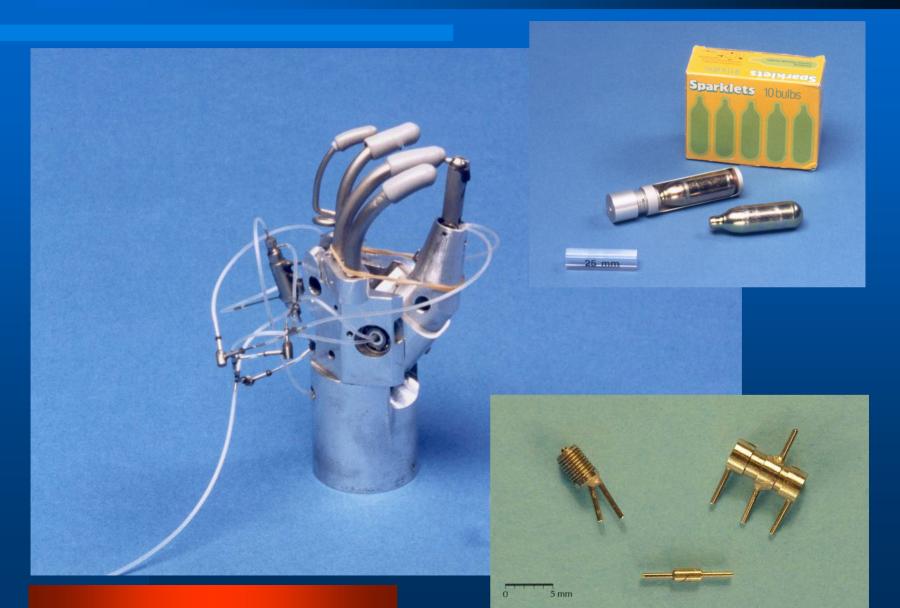
Pneumatic actuation excels electrical actuation:

- Low in mass
- Fast
- Reliable
- Small

Concluding remarks

Clinical evaluation
Pneumatic servo mechanism
Miniature pneumatic components

Delft Institute of Prosthetics and Orthotics



ADVANCED REHABILITATION TECHNOLOGY DELFT UNIVERSITY OF TECHNOLOGY THE NETHERLANDS