

# Chapter 13

# Survival Loads on Tower Structures

OE - Offshore Engineering Group

November 2005



## Outline Chapter 13

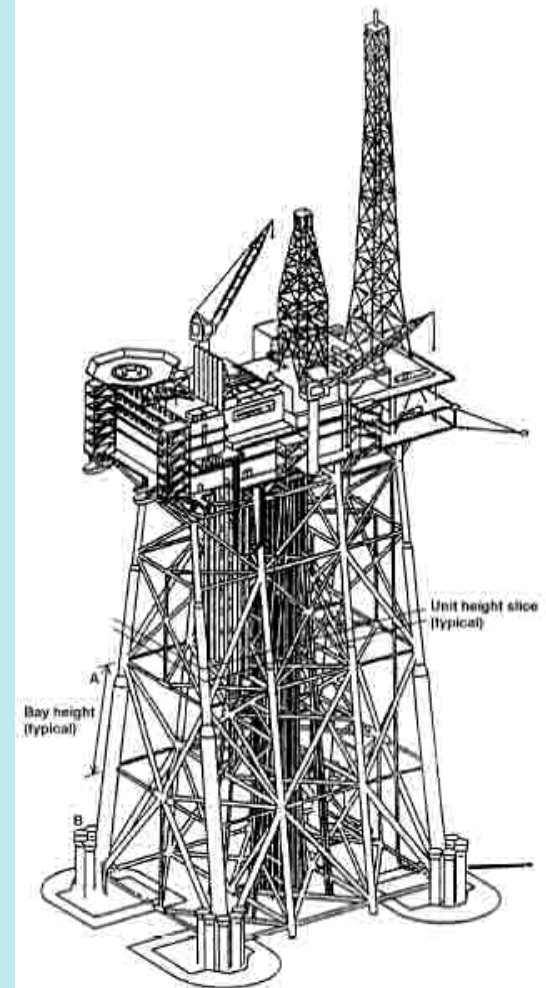
- Environmental Conditions To Choose
- Ambient Flow Schematizations
- Structure Schematization
- Force Computation
- Force and Moment Integration
- Example



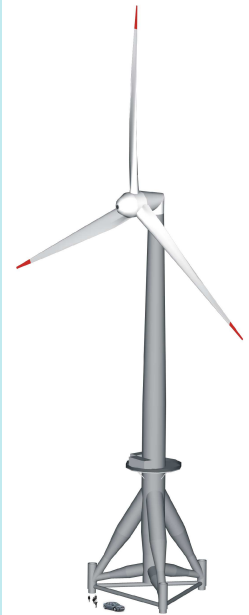
# Introduction

- Objective this chapter :  
Use Simplified means to estimating the largest hydrodynamic forces on an offshore structure.
- Often utilized product design phases :
  - conceptual design
  - *preliminary design*
  - detailed design
- Preliminary design :
  - no need for pinpoint accuracy
  - conservative estimate is preferable (*see next*)

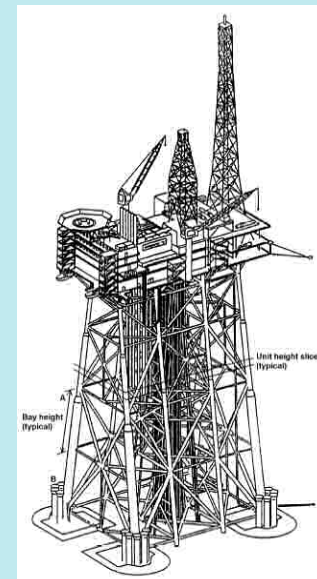
**Typical  
Large  
Offshore  
Tower  
Structure**



- Preference for conservative design :
  - if (heavy) conservative design survives economical analysis, then detailed design will also.
  - topsides tend to be heavier during design process due to regulations and changes design in requirements.
  - initial overestimation can turn to be handy in later design phase.

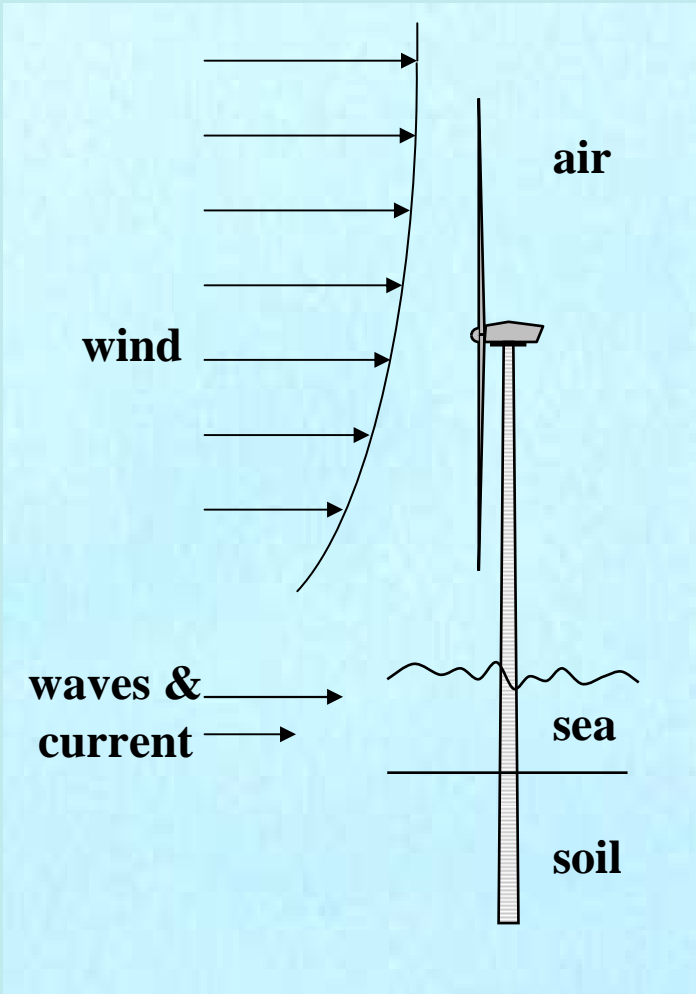


- The calculated (*limit*) Loads yields :
  - Largest overall bending moments at mudline level
    - > Axial and Horizontal (->shear) leg forces
  - For wind turbines -> also Torsional load
  - Maximum bracing loads due to wave and current



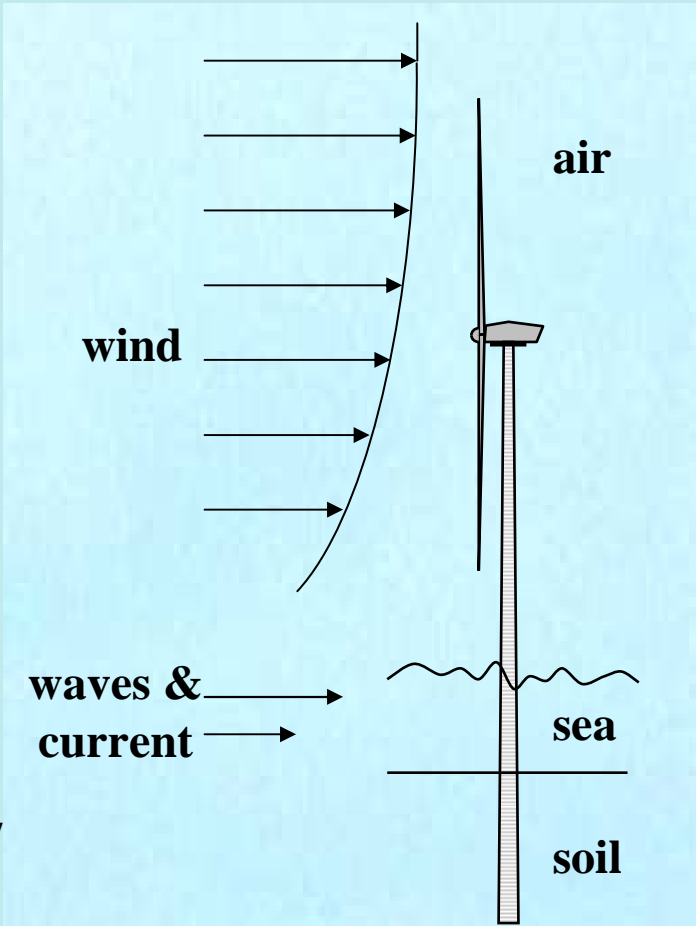
## Steps on load (*hydrodynamic*) analysis of an offshore structure :

- 1- Environmental Conditions  
(wind, waves, current, soil, ..... [else ??](#))
- 2- Ambient flow schematization  
(raw data to force model)
- 3- Structural schematization  
(anatomy, main elements)
- 4- Determination of load forces  
(ultimate loads, fatigue loads, ..etc.)



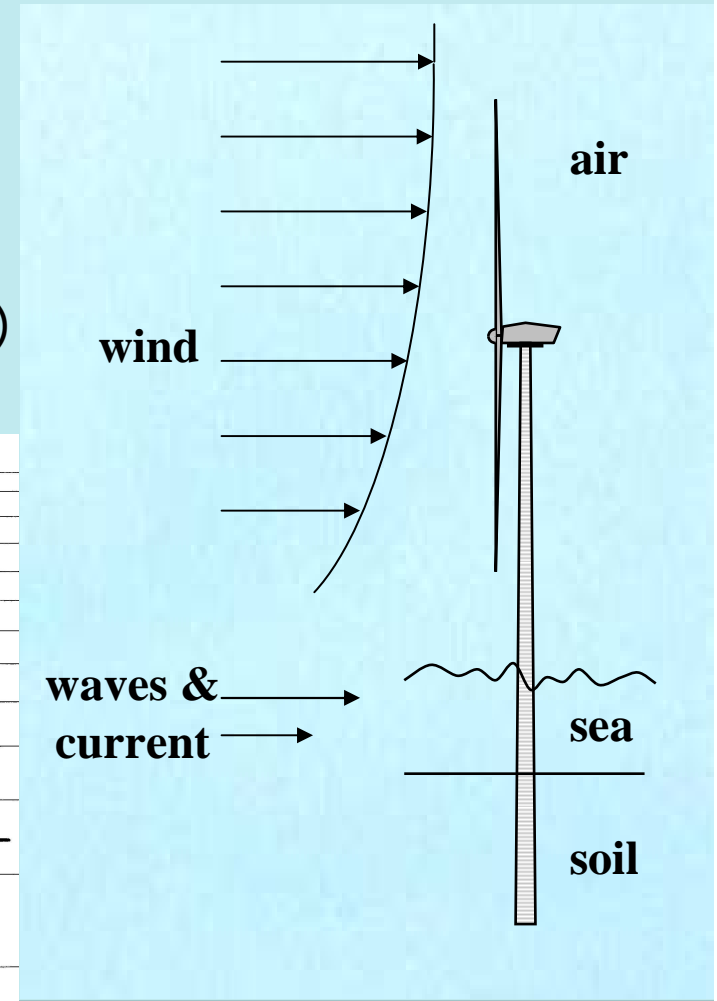
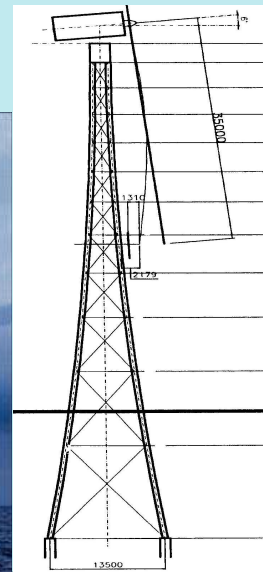
# Environmental Conditions To Choose

- In preliminary design phase utilize Ultimate (extreme) Loads according to Regulations from e.g. DNV, API, IEC, ..... etc.
- Databases for environmental data, e.g. ARGOSS.
  - Wind Speed :
  - Current Speed :
  - Wave Height and Period :
- *Soil data of location of interest :*
  - *Not always needed for prelim design.*
  - *Accurate data can only obtained by performing CPT.*



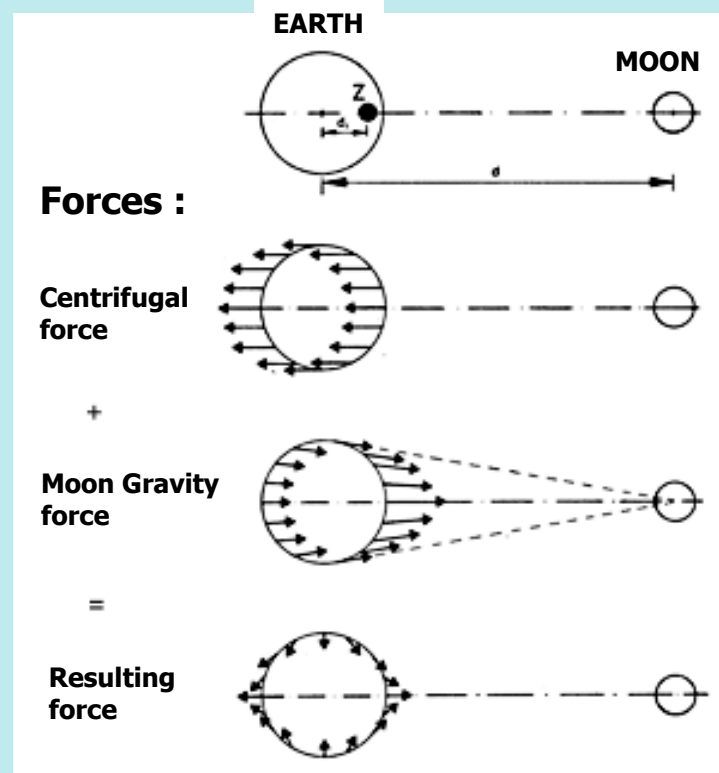
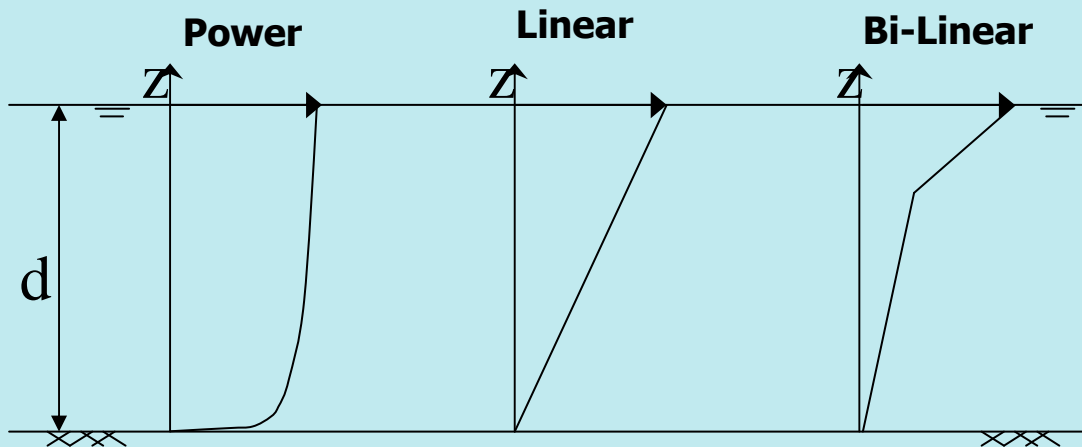
## Winds Speed

- Aerodynamic loads generally plays a minor role on Oil & Gas offshore structure. Hydrodynamic loads are dominant.
- Also for Wind Turbines in deeper waters (>20 m.)
- Significant load for wind turbines in shallow waters.



## Current Speed

- Cause of current (dominant mechanism)
- Velocity profiles of current



- Tidal effects causes sea level differences (*HAT & LAT*)
- Current (load) significant for survival loads calculations





## Wave Height and Period

Choose the wave height and period -> Resulting in Maximum wave force

- Assumptions *(ch. 5)*
  - $H_{\max}$  occurs once in every 1000 storm wave
  - the 1000 storm waves will be passed in 3 hours
- Implement in Rayleigh distribution yields :

$$\exp \left\{ -2 \left( \frac{H_{\max}}{H_{1/3}} \right)^2 \right\} = \frac{1}{1000} \quad \text{or:} \quad \boxed{H_{\max} = 1.86 \cdot H_{1/3}}$$

Significant Wave Height



## Concerning the wave period :

- Choosing a **short** wave period , with a certain height, will give **maximum velocities and accelerations** at the water surface .....
- ..... but short waves will 'die out' faster at deeper locations.
- Very short period, combined with very high wave  
-> results in Breaking Wave !
- For deep water and quick estimate :

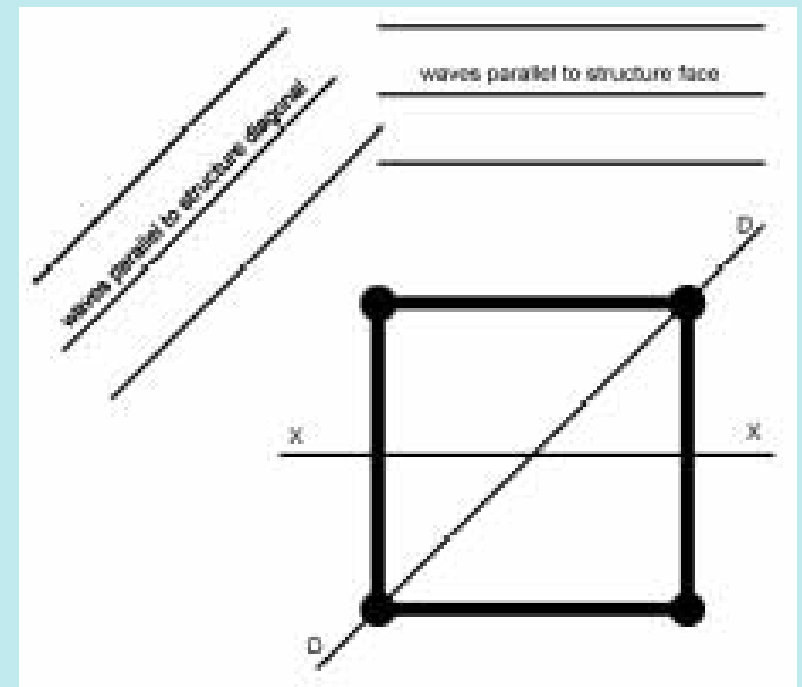
$$\lambda = 1.56 \cdot T^2 \quad \text{and} \quad \frac{H}{\lambda} < \frac{1}{7}$$

Wave length [m]      Wave Period [s]      Wave Height [m]



## Wind, Current and Wave Directions

- Correlation in direction of Wind, Wave and Current are seldom
- Conservative choice -> simply assume that the directions are co-linear !!
- Orientation of non-circular structure :
  - wave crest **parallel to diagonal** :  
-> Larger pile forces.
  - wave **parallel to structure face** :  
-> Larger forces in the bracings bearing the shear forces.



## Wind, Current and Wave Occurrence

- Conservative choice applied in the reader
  - > Maxima of these phenomena do occur **simultaneously**
- This will lead to a over-dimensioned result
- Consult regulations directives for proper preliminary design (DNV, IEC, API).



## Implications of the choices

- A large wave length ( $\lambda$ ) :

Relative large to the structure's horizontal dimension

-> Upstream and Downstream members have small phase difference

- Neglecting phase difference -> No reduction of horizontal member forces
  - > Simplify the calculations
  - > Conservative result
- Relative high wave -> KC number high as well
  - > Tends to Drag domination at sea surface and deep waters
  - > In case of current, Drag domination more pronounce !



## Implications of the choices, ... *continued*

- Lower (deeper) part of the structure :  
Due to decrease of velocity with depth -> KC value decreases as well  
-> Inertia force increases in importance !
- Total resulting Force on the structure is maximum when the wave crest is passing, due to the maximum horizontal water velocity.
- Prediction of wave kinematics over the entire height (*seabed-crest*) is necessary for the calculation.



# Ambient Flow Schematizations

From RAW data to INPUT data for load calculations

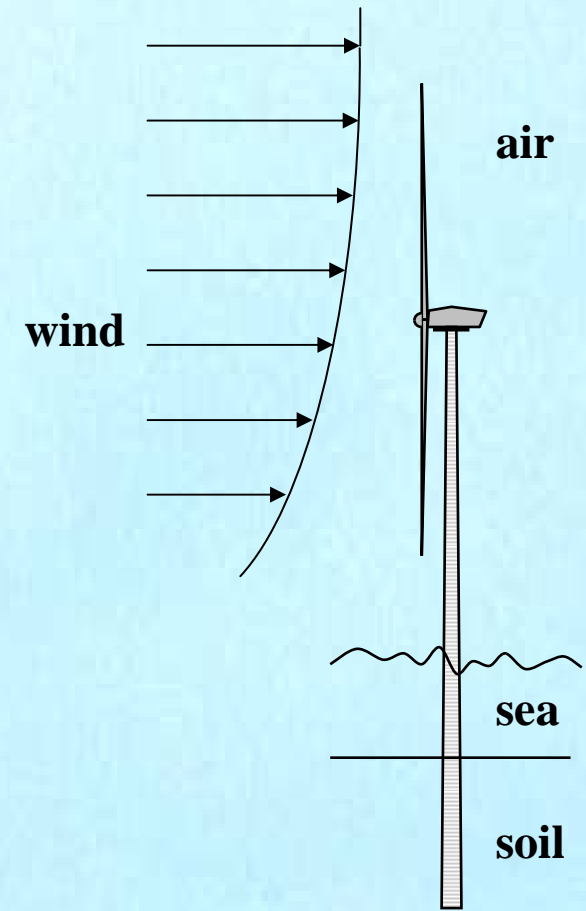
## Wind

- Data often related to standard elevation of 10 m.
- Other elevations:

$$\frac{V_{tw}(z)}{V_{tw}(10)} = \left(\frac{z}{10}\right)^{0.11} \quad (\text{at sea})$$

$z$  = desired elevation (m)  
 $V_{tw}(z)$  = true wind speed at elevation  $z$  (m/s)  
 $V_{tw}(10)$  = true wind speed at 10 meters elevation (m/s)

- Gives large overturning moment at structure's base. Not to be neglected in all cases !!  
(types offshore structure).



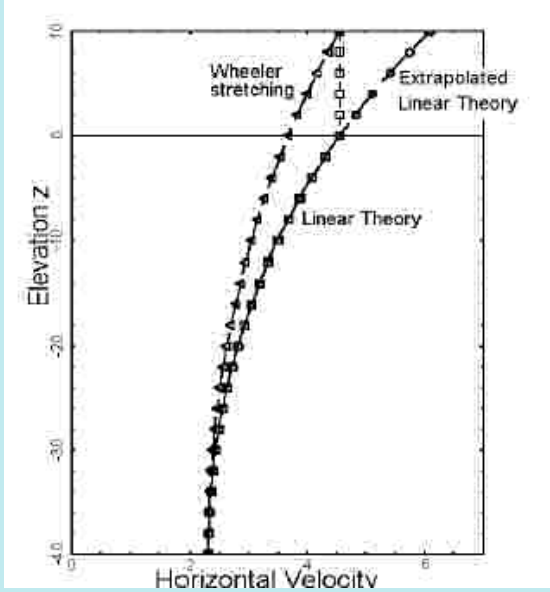
# Waves

- Linear wave theory convenient, but only predicts the velocities below the MSL ....
- .... while the water velocity in the wave crest is maximum.
  - > Wheeler Stretching is most popular to predict this  
(see CH. 5)
- Extreme wave crest :
  - common rule of thumb

$$\zeta_{\max} = +\frac{2}{3} H \quad \text{and} \quad \zeta_{\min} = -\frac{1}{3} H$$

Max. wave amplitude

Min. wave amplitude





- Remarks on use of wave formulae (*ch. 5*):
  - If maxim. velocity is needed -> neglect time function
  - Wave length is large to structures horiz. dimension
    - > no phase difference : ' $kx$ ' is zero.
  - Extreme wave crest as previous
  - Full equations must be utilized, in stead of shallow/deep approxims., to evaluate horizontal velocity. Beware of (deep water) simplifications which could lead to less conservative results as the water depth decreases.



## Current

- The direction is assumed to be parallel to wave propagation
  - > Current velocity ,  $V(z)$ , can be added to the velocity component amplitude,  $u_a(z)$ , of the wave :

$$\bar{U}_a(z) = V(z) + u_a(z)$$



## Reflections / Remarks

Description of environmental loadings (*Hydrodynamic*) have been simplified considerably :

- only conditions under the wave crest are considered
- only hydrodynamic drag is considered
- no spatial phase differences

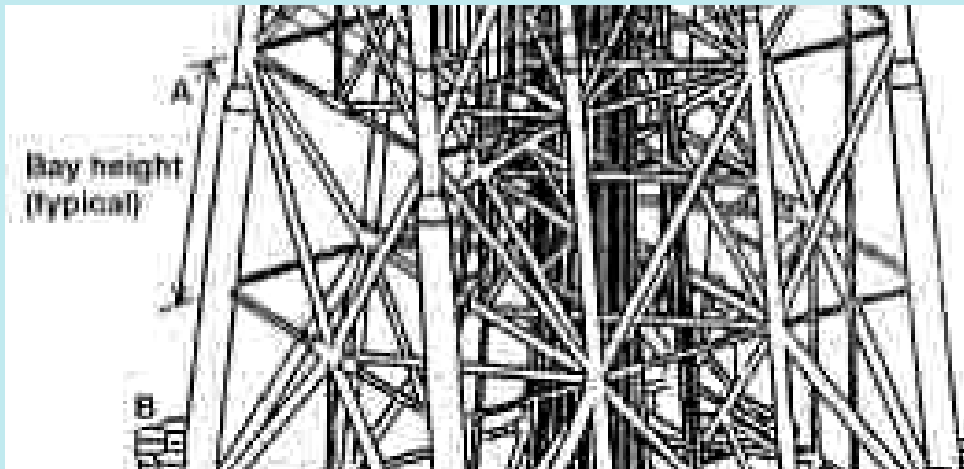
Necessary additions :

- extend hydrodynamics up to wave crest
- determine valid solution for all water depths

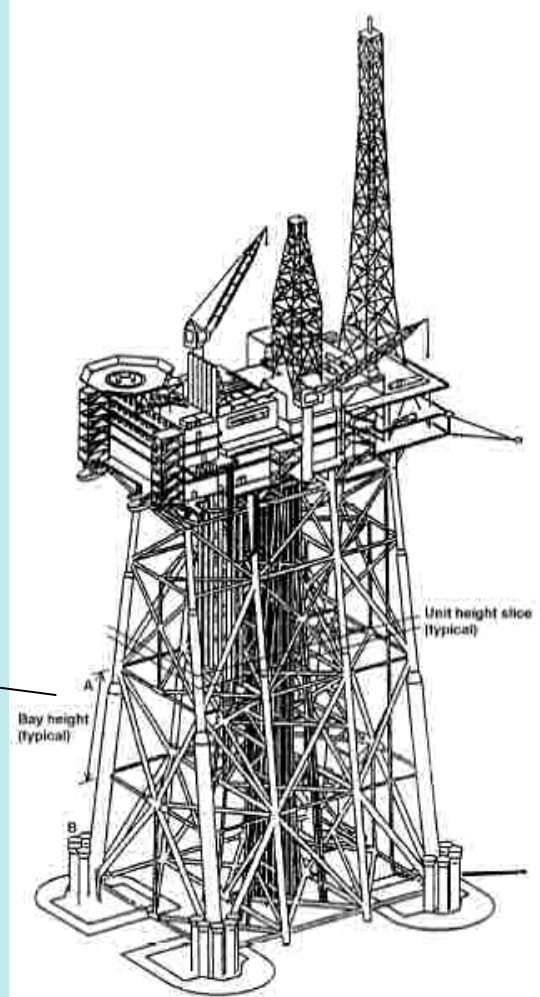


# Structure Schematization

Actual truss-like marine structure is rather complex  
-> needs to be simplified for  
'preliminary' (drag) calculation purposes.



**Horizontal  
Slice**



**Drag term from Morison :**

$$F_{drag_a} = \frac{1}{2} \rho C_D D \cdot U_a^2$$

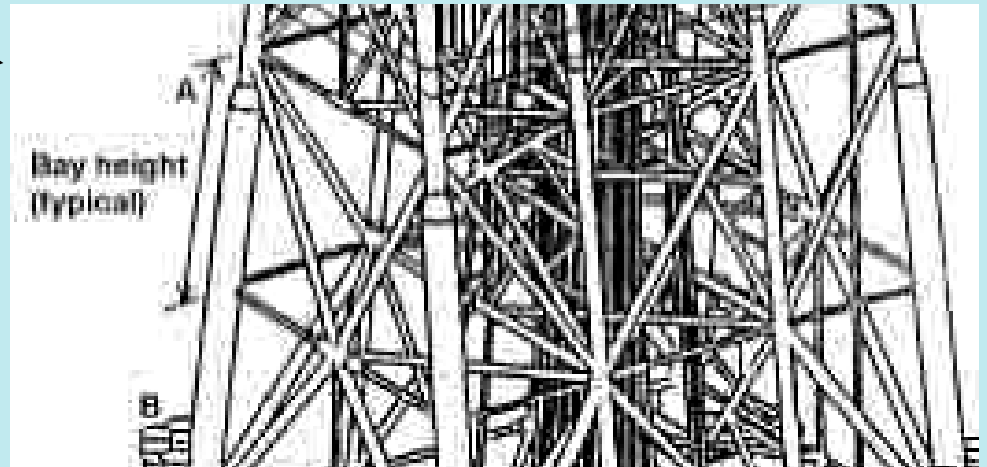
- $F_{drag_a}$  = drag force amplitude per unit length of vertical cylinder (N/m)
- $C_D$  = drag coefficient, to be discussed later (-)
- $D$  = cylinder diameter (m)
- $U_a$  = horizontal velocity amplitude at the chosen elevation (m/s)

Consider a horizontal slice :

Constant term in that slice :

$$\frac{1}{2} \rho C_D U_a^2$$

**members ! neglect the junctions**



Still considering horizontal slice .....

Remaining :

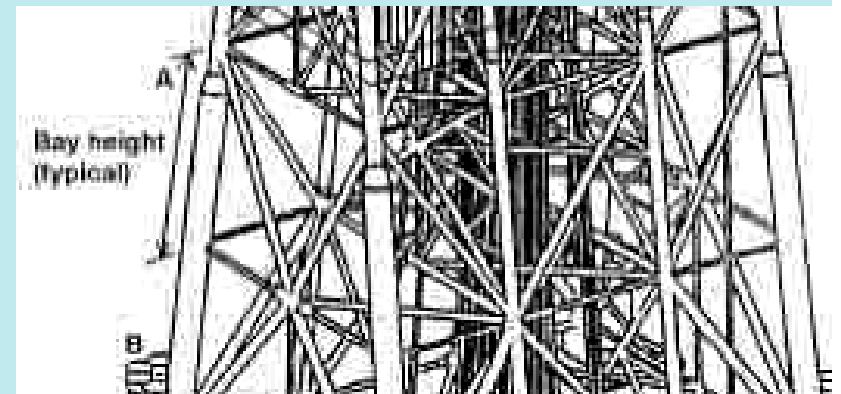
$$D_e = \text{Area} / \text{Unit Length}$$

equivalent diameter  
(summation of members)

of a side view picture,  
in the direction of the propagating wave

Contributions to  $D_e$  :

- Leg cords, nearly vertical -> actual D.
- .....*next slide*....



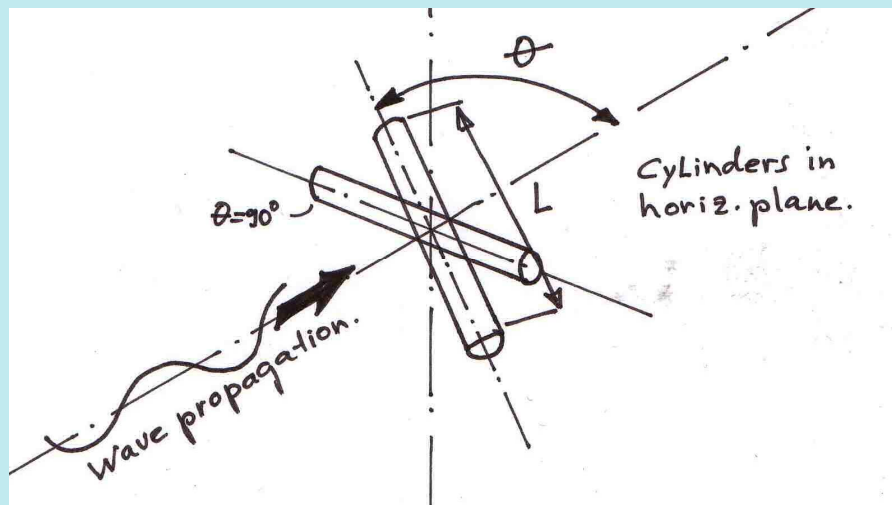
Still considering horizontal slice .....

Contributions to  $D_e$ , .....continued :

- Horizontal braces at angle  $\theta$   $\rightarrow D_e = L \cdot \sin(\theta)$  , over limited Height D !

Brace length

Brace azimuth to relative  
to water motion



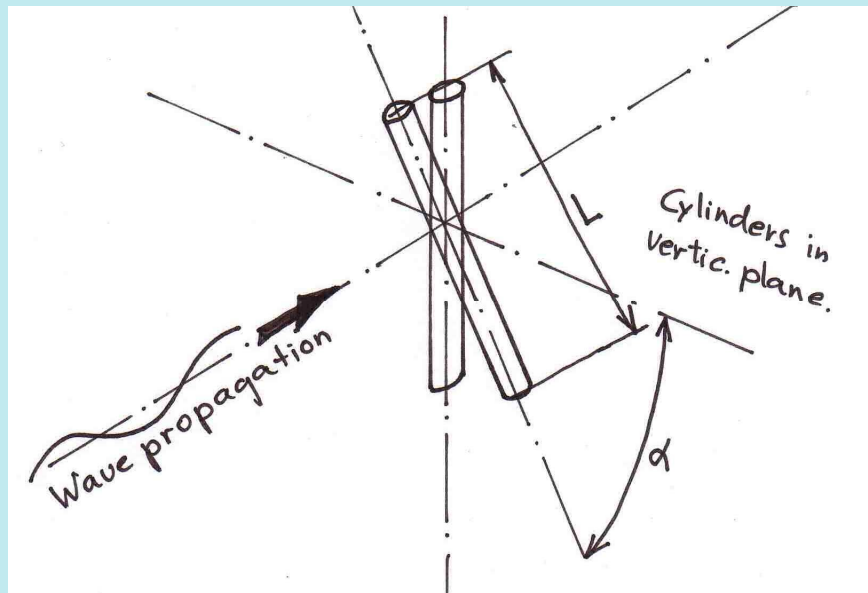
Contributions to  $D_e$  ....., *continued* :

- Sloping braces in the plane of the picture :

$$D_e = \frac{D \cdot L}{H_B} = \frac{D}{\sin \alpha} = D \csc \alpha$$

$H_B$  = height of the bracing bay (m);

$\alpha$  = slope of brace relative to the horizontal (rad)





Contributions to  $\mathbf{D}_e$  ....., *continued* :

- Sloping members with other spatial orientations :  
(*wave approach in diagonal direction*)

Result of derivation :

$$\ell = \frac{1}{2} \left( \frac{L}{H_B} - 1 \right) = \frac{1}{2} (\csc \alpha - 1)$$

$$D_e = D \cdot \{1 + \ell \cdot [1 - \cos(2\theta)]\}$$

Neglect the extra DRAG of Joints. Compensate this with exaggerated member lengths between the nodes.



Total Equivalent Diameter at a certain elevation ,  $D_e(z)$  :

$D_e(z)$  = summation of all  $D_e$ 's at elevation  $z$ .

- This procedure reduces the '**Forest**' of trusses to **single equivalent diameter** for **each segment** at a certain elevation.
- The equiv. diameter of the vertical cylinder **varies over its height**.
- This procedure only fits for Drag estimation. *Be careful of using this for dynamic calculations.*



# Force Computations

So far performed :

- schematization of the environment (Loads)
- schematization of the structure

Next : compute the hydrodynamic forces and associated overturning moment at the mud line.

How to determine the appropriate Drag Coefficient,  $C_D$  ?

**NOT** by using  $D_e$  and  $u_a$ , and then calculating  $K_C$  to determine a  $C_D$  value utilizing a graph. The  $D_e$  is not representative in this case.

Depending on the (truss) tower configuration, at a certain elevation the most **representative diameter** has to be 'chosen' in an *engineering intuitive* manner.



Subsequently (after  $C_D$  is determined) :

-> Calculate the maximum DRAG FORCE per unit elevation :

... caused by WAVE and CURRENT .....

$$F_{drag_a}(z) = \frac{1}{2} \rho C_D D_e(z) \cdot U_a^2(z)$$

... caused by WIND .....

$$F_{wind_a}(z) = \frac{1}{2} \rho_{air} C_d A_w(z) \cdot V_{tw}^2(z)$$

per unit elevation ! (dim. [m])



# Force and Moment Integration

At this point :

- Drag Forces caused by wind, waves and current are known at every chosen elevation
- Resulting horizontal force and overturning moment on the schematized structure can be determined

## Horizontal Force Integration

- Resulting  $F_{\text{horiz}}$  : integration of  $F_{D_{\text{max}}}$  and  $F_{\text{Wind}_{\text{max}}}$  over a segment height.
- Linear interpolations between segments
- If abrupt change of  $D_e$  or  $A_w$  -> evaluate just below and above the transition
- Add successive transitions to enable approximation of curve by linear interpolation
- Finer integration steps, meaning shorter tower slices, in case of:
  - Conditions change rapidly, e.g. near water surface.
  - Structure change abruptly.



## Overturning Moment Integration

- Overall structural overturning moment about a horizontal centerline/axis at the mudline :

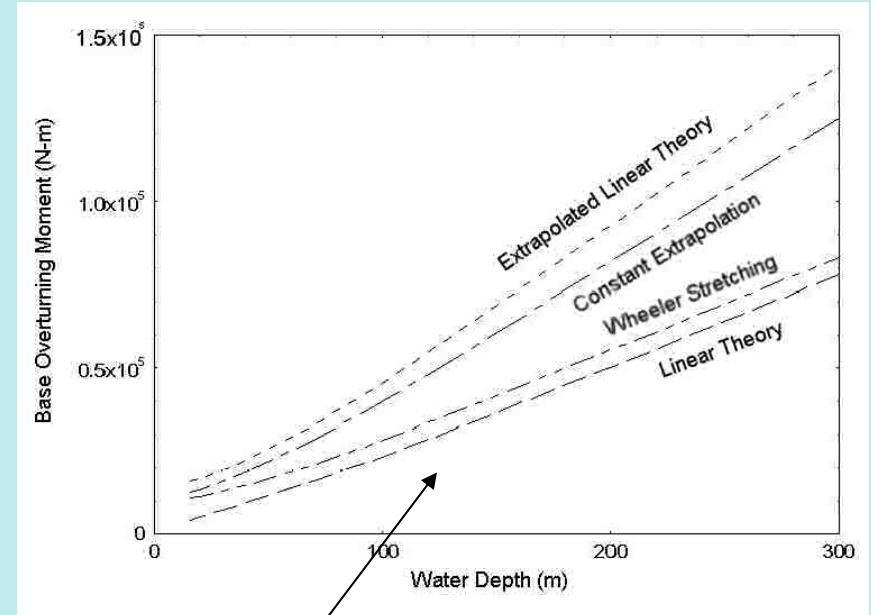
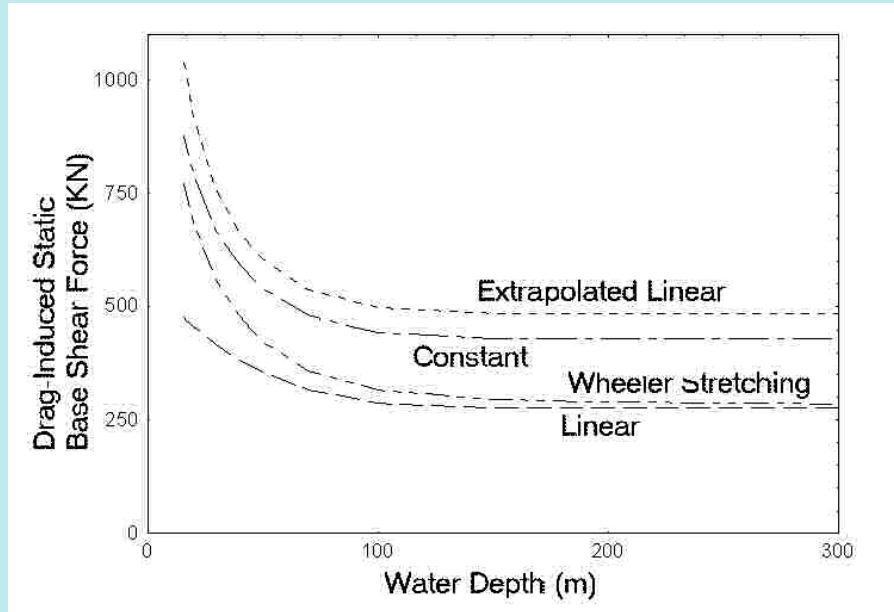
$$\Sigma \text{ Moment} = \Sigma (\text{Force} \times \text{Distance})_{\text{segment}}$$

Distance segment-mudline

- Neglect small vertical velocity component near crest.



# Example



F drag increase as water depth decreases !

- > shallow water wave
- > increase horiz. veloc.
- > Quadratic (*velocity*) term

compensates more than less tower height.

**Extrapolated Linear** is expected to give more **conservative** result than **Wheeler Str.**

